

# Femtet Seminar

Understanding

# Piezoelectric Analysis & Acoustic Analysis

202009

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2. Functions
3. Points

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4. Case Studies
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## ☆ Piezoelectric-Acoustic Coupled Analysis

7. Case Studies
8. Points

## ☆ Piezoelectric Analysis

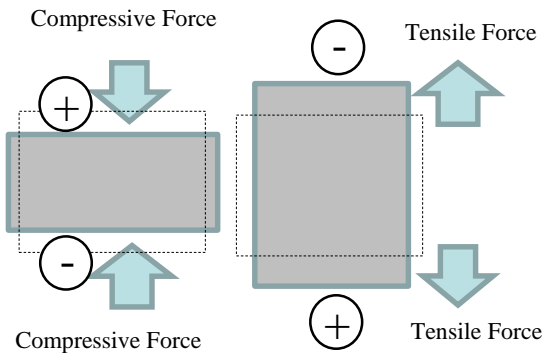
1. Case Studies
2. Functions
3. Points

## ☆ Acoustic Analysis

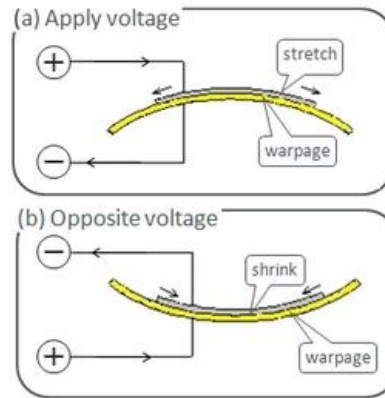
4. Case Studies
5. Functions
6. Points

## ☆ Piezoelectric-Acoustic Coupled Analysis

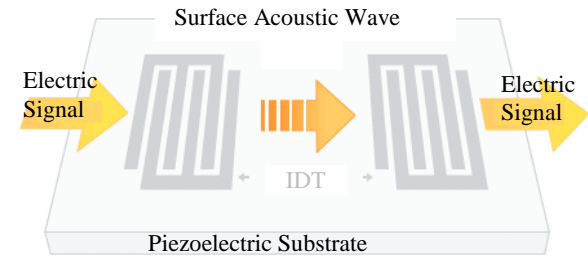
7. Case Studies
8. Points



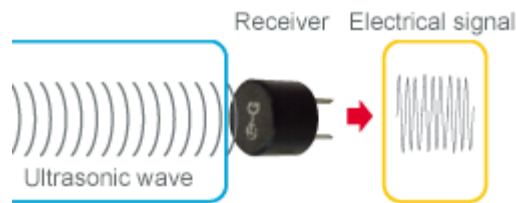
Force  $\Rightarrow$  Electricity



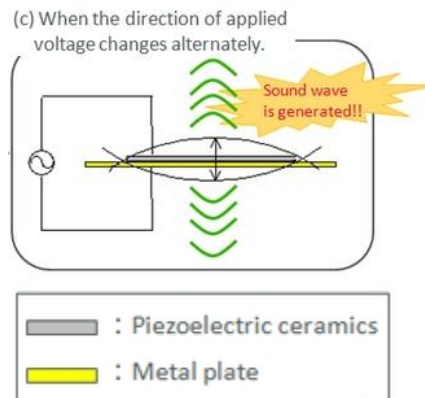
Electricity  $\Rightarrow$  Force



Electricity  $\Rightarrow$  Force  $\Rightarrow$  Electricity



Ultrasonic Sensor  
Acceleration Sensor  
Piezoelectric Gyro  
Shock Sensor



Piezoelectric Buzzer  
Ultrasonic Motor  
Actuator

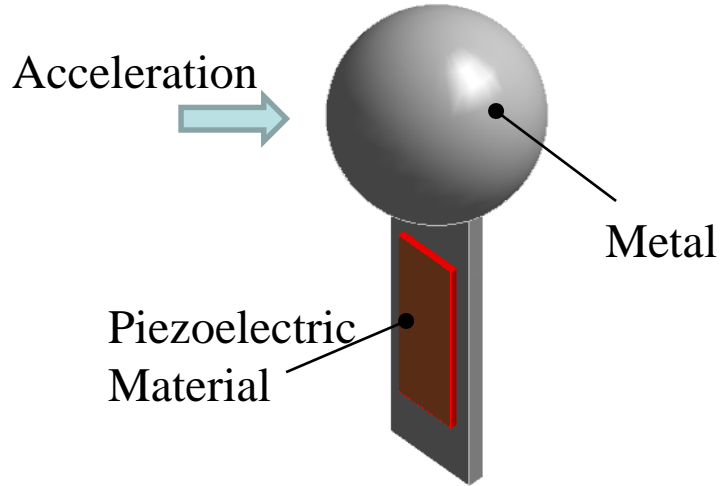


Crystal

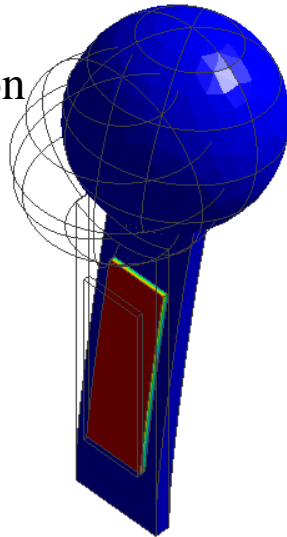
SAW Filter  
Crystal Oscillator

# Force to Electricity

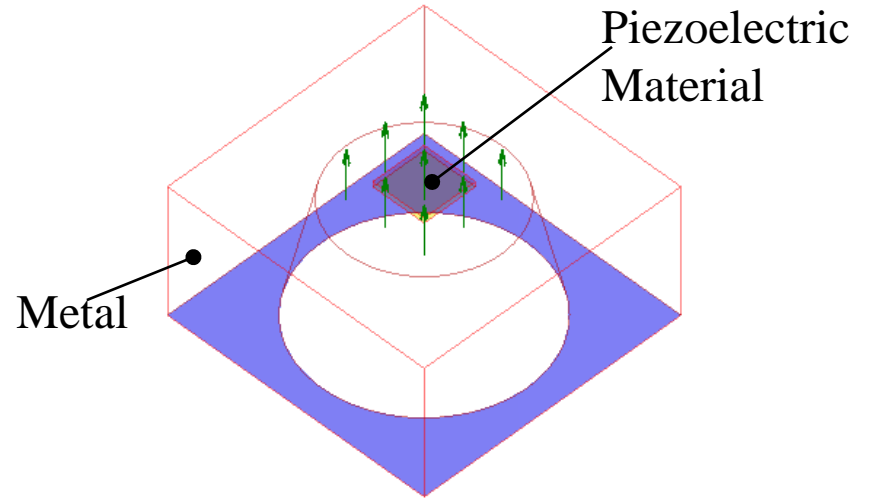
## Acceleration Sensor



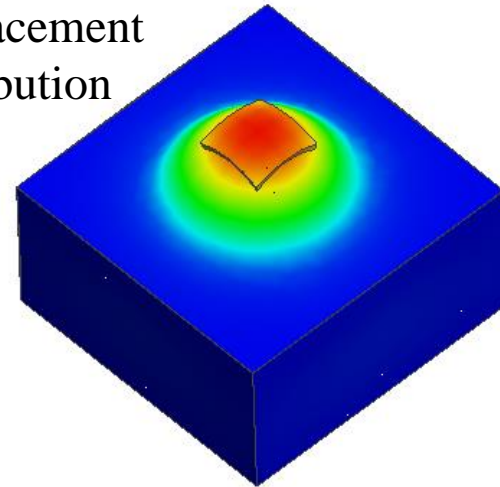
## Voltage Distribution



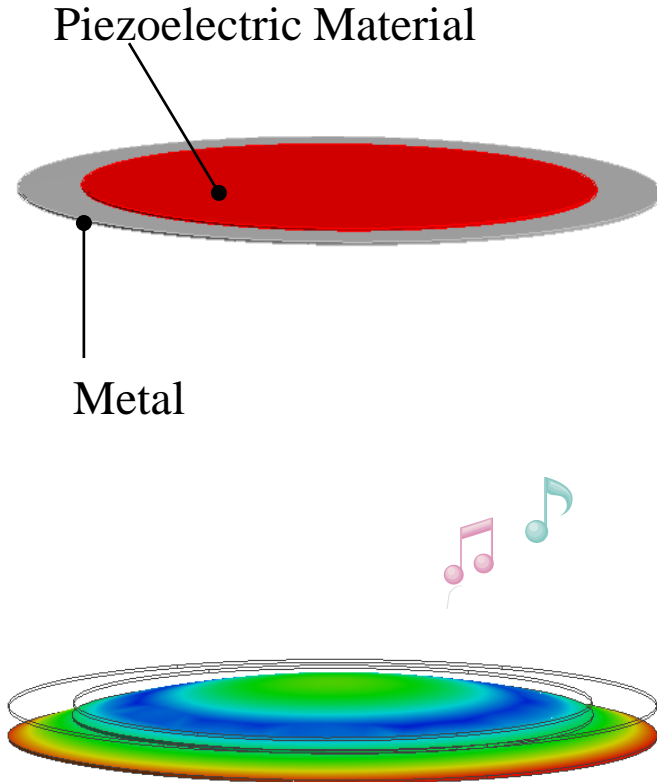
## Pressure Sensor



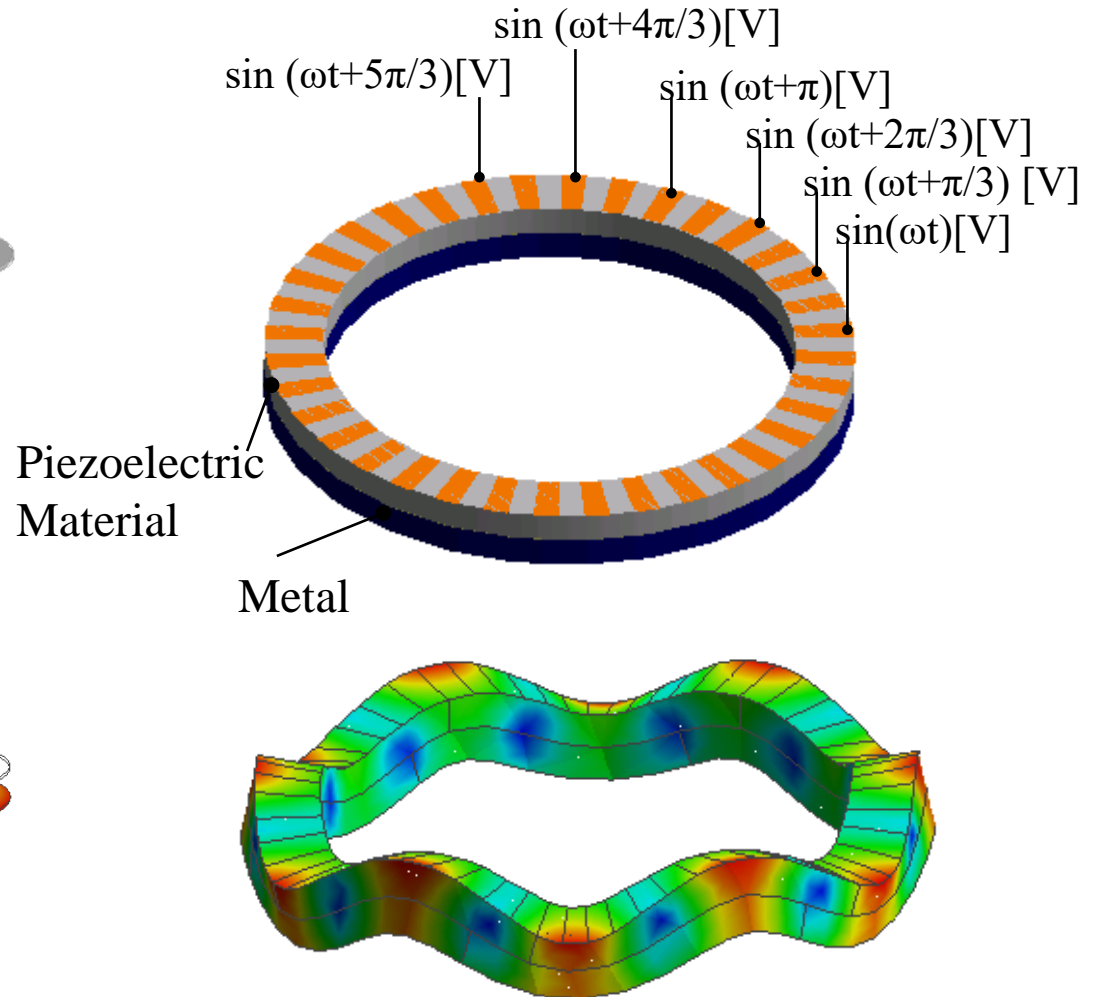
## Displacement Distribution



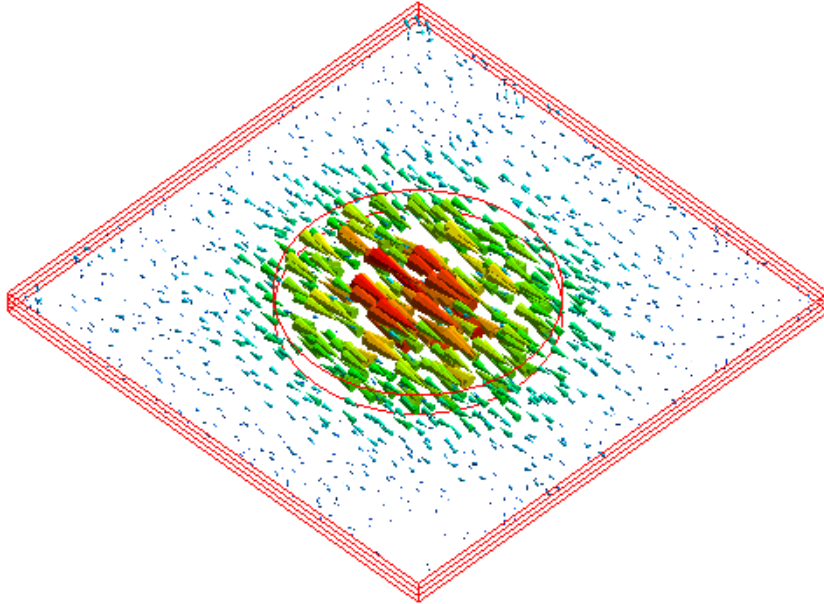
## Buzzer



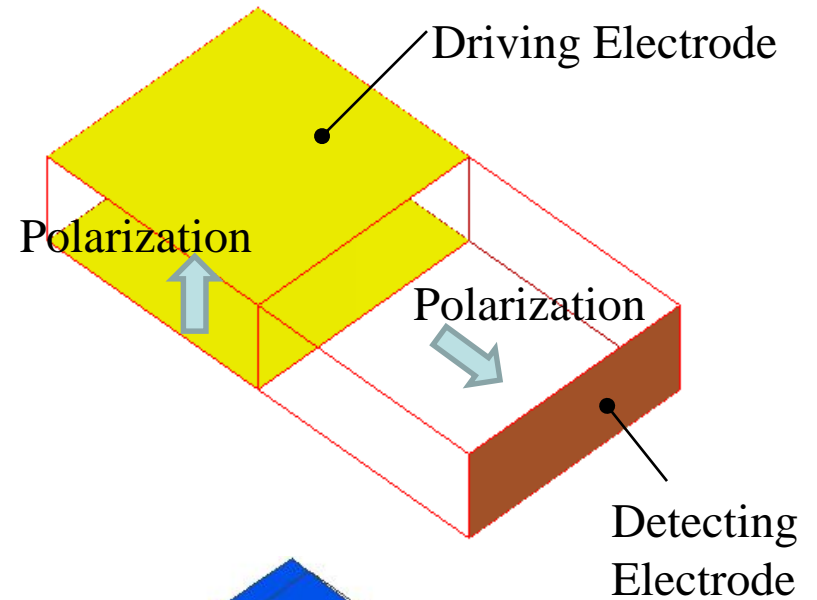
## Ultrasonic Motor



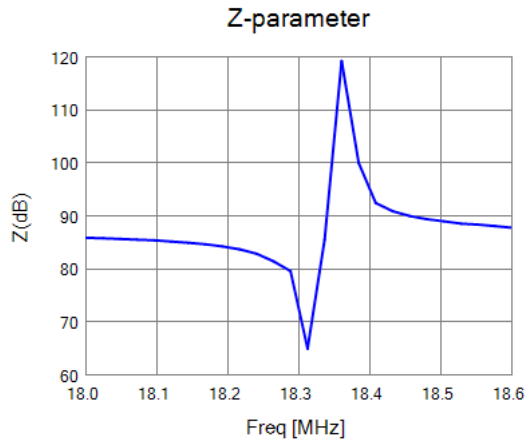
## Crystal Oscillator



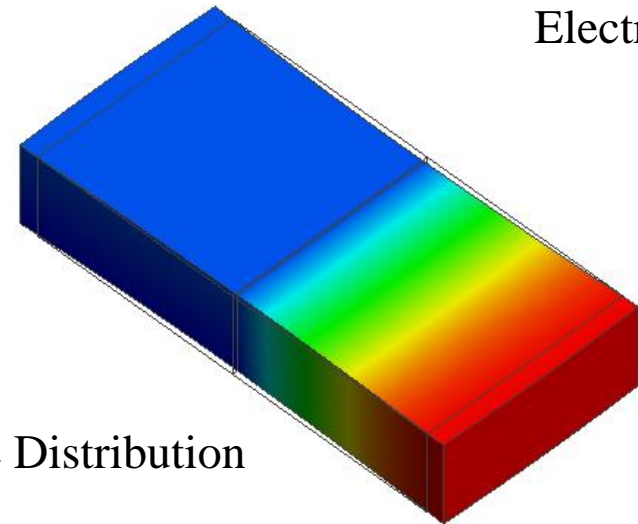
## Piezoelectric Transformer



## Impedance Characteristics



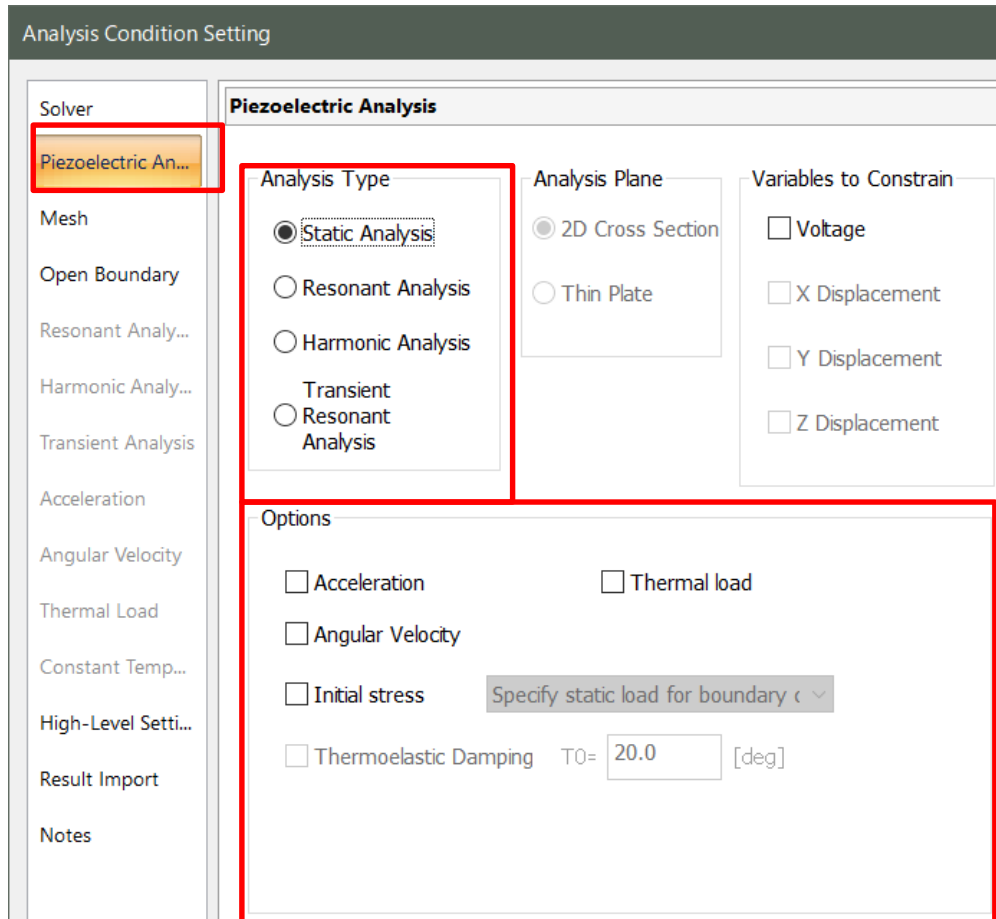
## Voltage Distribution



- (1) Analysis Condition
- (2) Boundary Condition
- (3) Material Property
- (4) Body Attribute
- (5) Results Display



# (1) Analysis Condition



## Analysis Type

- Static
- Harmonic
- Resonant
- Transient

## Options

- Acceleration
- Thermal Load
- Angular Velocity
- Initial Stress Taken into Account

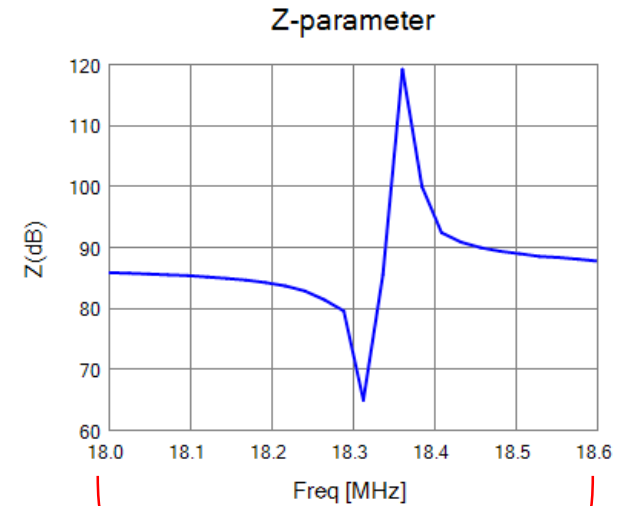
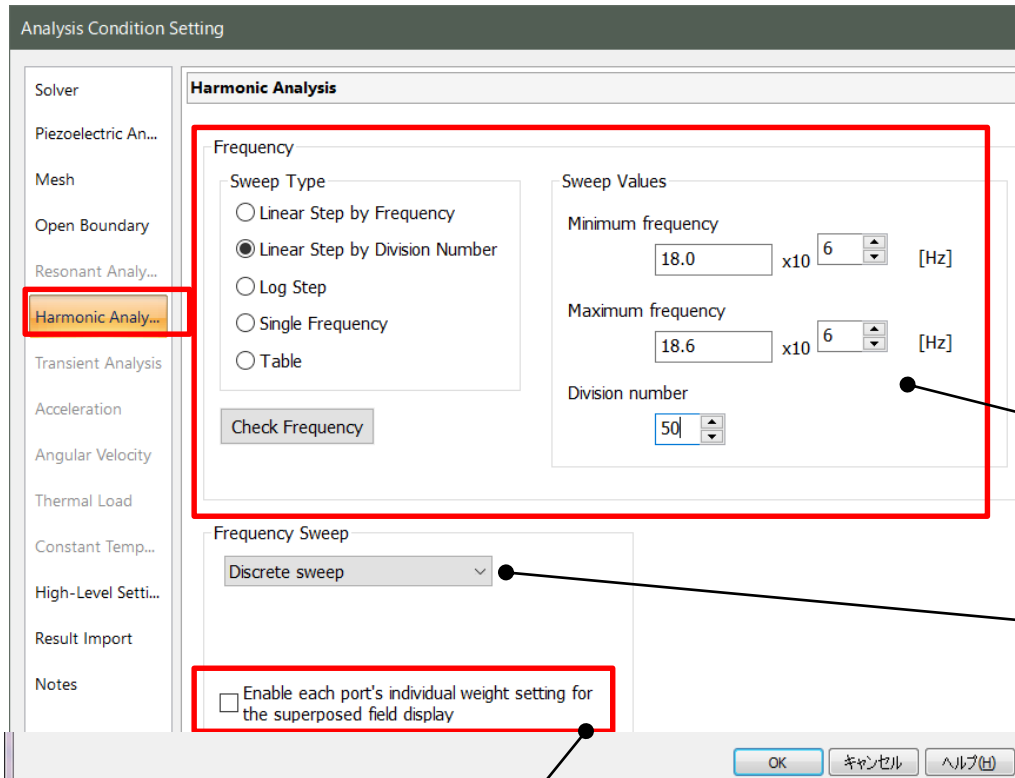
## Analysis Plane

Used for 2D analysis

## Variables to Constrain

Select [Voltage] to couple with acoustic analysis without taking piezoelectricity into account

# Harmonic Analysis



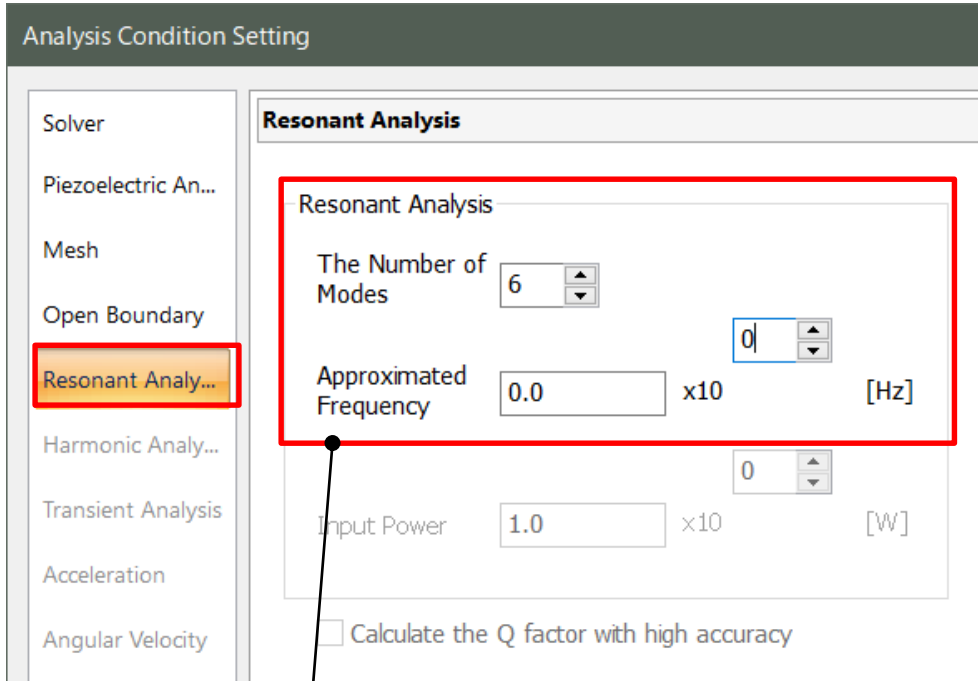
Frequency setting for calculation

[Discrete Sweep] is recommended. [Fast Sweep] is selectable but the convergence will be deteriorated in the piezoelectric analysis. If your PC has enough memory, [Parallel Discrete Sweep] can be used.\*

If selected, the phase of the electrode can be changed after calculation.

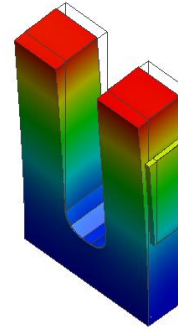
\* Option for Accelerator is required.

# Resonant Analysis

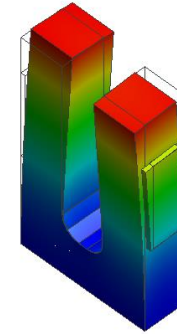


[The Number of Modes]: Calculations done by this number  
[Approximated Frequency]: Calculates frequencies near to this value

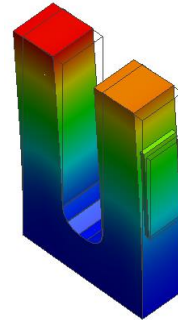
6.862kHz



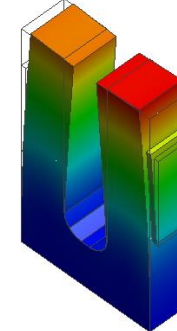
7.020kHz



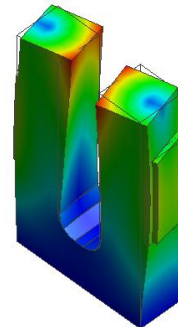
8.322kHz



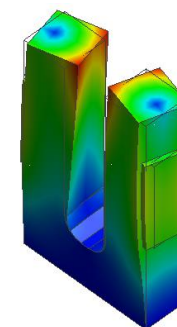
8.378kHz



29.753kHz



30.146kHz



# Transient Analysis

Analysis Condition Setting

**Transient Analysis**

Timestep:  Manual  Automatic

Restart:  Continue from the last session

No.	Calculati	Output S	Timestep [s]
1	500	1	0.1
2			
3			
4			
5			

Exp: 0

Insert Rows Delete Rows Import

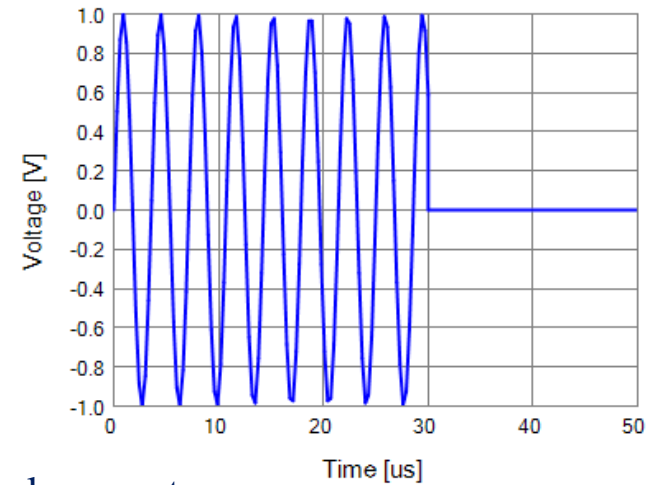
Table

About 1/10 of the reciprocal of the resonant frequency

The modes obtained in the resonant analysis are used.  
[Inverse Fourier transform] is applied.

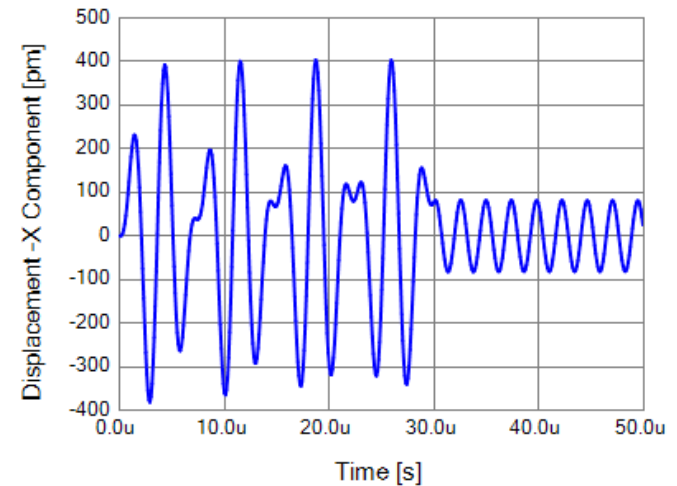
Input Voltage

[Time-Voltage] Graph



Displacement

Displacement -X Component



# Angular Velocity

By specifying the angular velocity, Coriolis force can be taken into account.

Analysis Condition Setting

Solver

Piezoelectric An...

Mesh

Open Boundary

Resonant Analy...

Harmonic Analy...

Transient Analysis

Acceleration

Angular Velocity

Thermal Load

### Angular Velocity

Angular Velocity

X   [deg/s]

Y  X10 [deg/s]

Z

\*Centrifugal force is taken into account in the static analysis.  
Coriolis force is taken into account in the harmonic piezoelectric analysis.

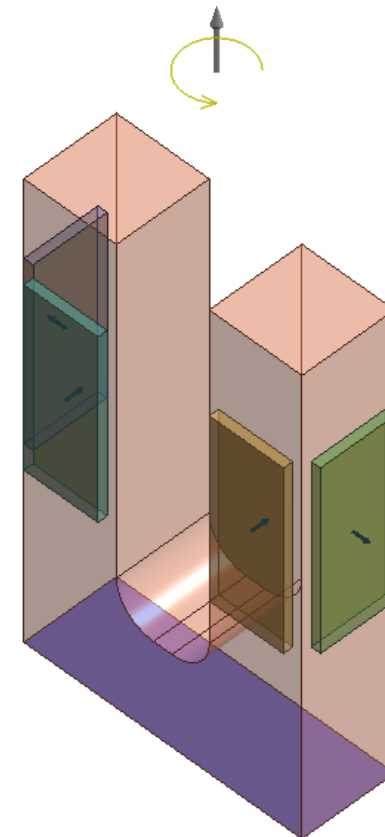
### Point on Rotation Axis

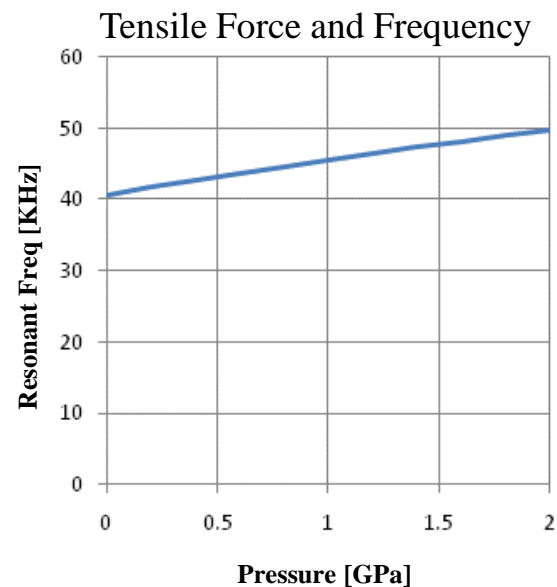
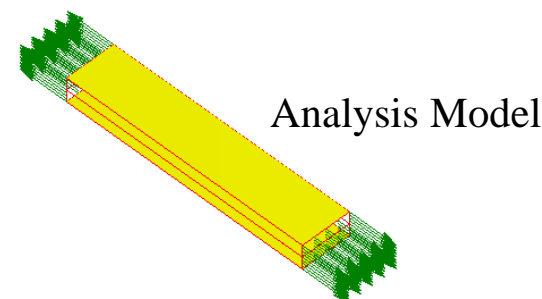
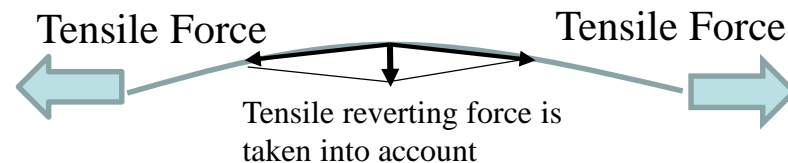
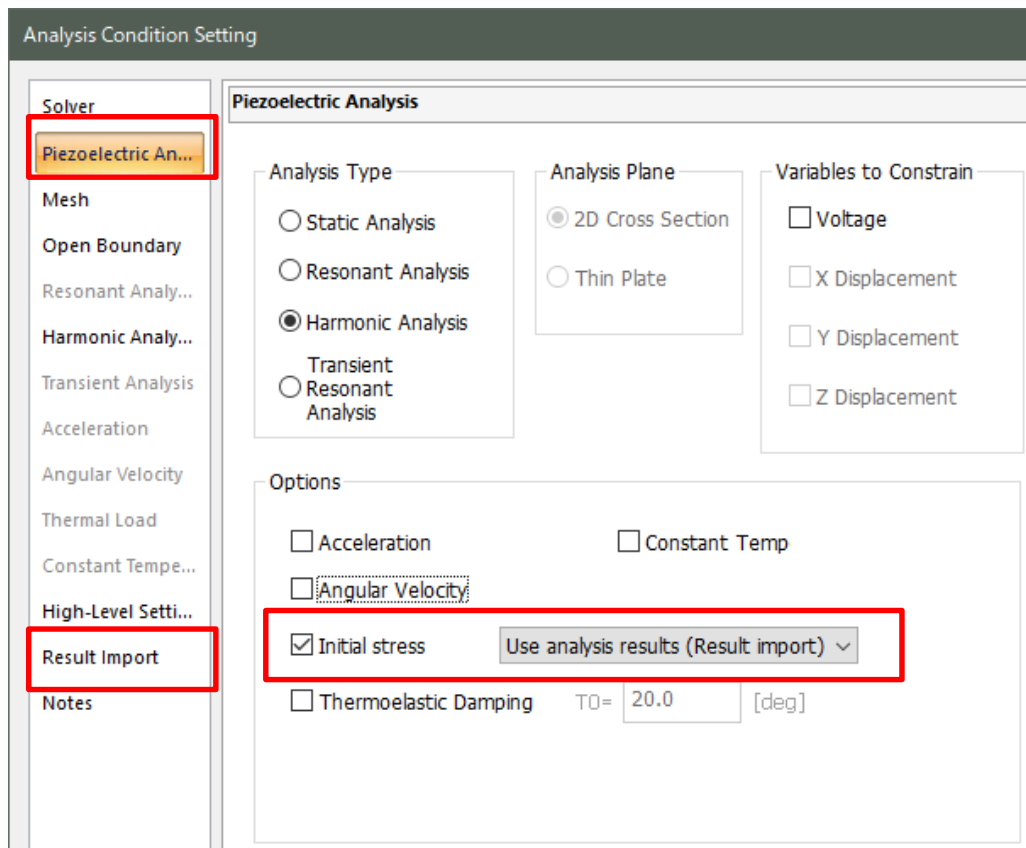
X   [m]

Y  X10 [m]

Z

\* The rotation axis goes through the origin in Rayleigh.





At first, static analysis is executed.  
Its results are imported by [Result Import].  
Harmonic and resonant analysis are executed.

# (2) Boundary Condition

## Electric

Edit Boundary Condition [hot]

**Electric**

**Electric**

Boundary Condition Type

Electric wall     Surface impedance      
 Open boundary     Port      
 Magnetic wall     Integral path  
 Plating wall     Lumped constant

Specify Voltage

Specify Voltage

Voltage  X10 [V]

Phase  X10 [deg]

Time Dependency   

Floating Electrode

Add a resistor across to ground

Resistance  X10 [Ohm]

## Mechanical

**Mechanical**

Boundary Condition Type

Displacement     Lumped Vertex Load     Simple Contact     Acoustic Impedance  
 Normal Displacement     Distributed Edge Load     Contact Surface     Open Boundary  
 Rotational Displacement     Distributed Face Load     Free  
 Acceleration     Pressure     Torque Load

UX  X10 [m]  
 UY  X10 [m]  
 UZ  X10 [m]

## Symmetry and Continuity

**Symmetry/Continuity**

Symmetry

Reflective

Periodic

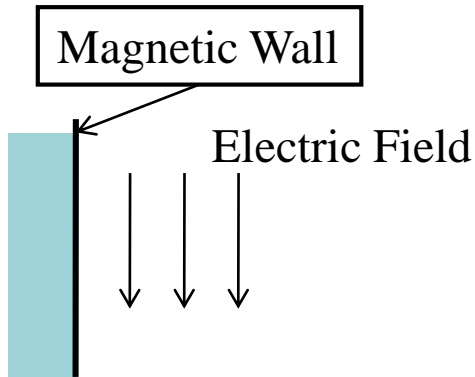
Continuity

Discontinuous

# Electric Boundary Condition

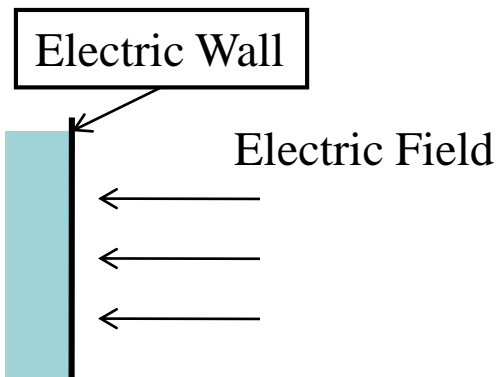
## Magnetic Wall

Electric field is parallel to the wall

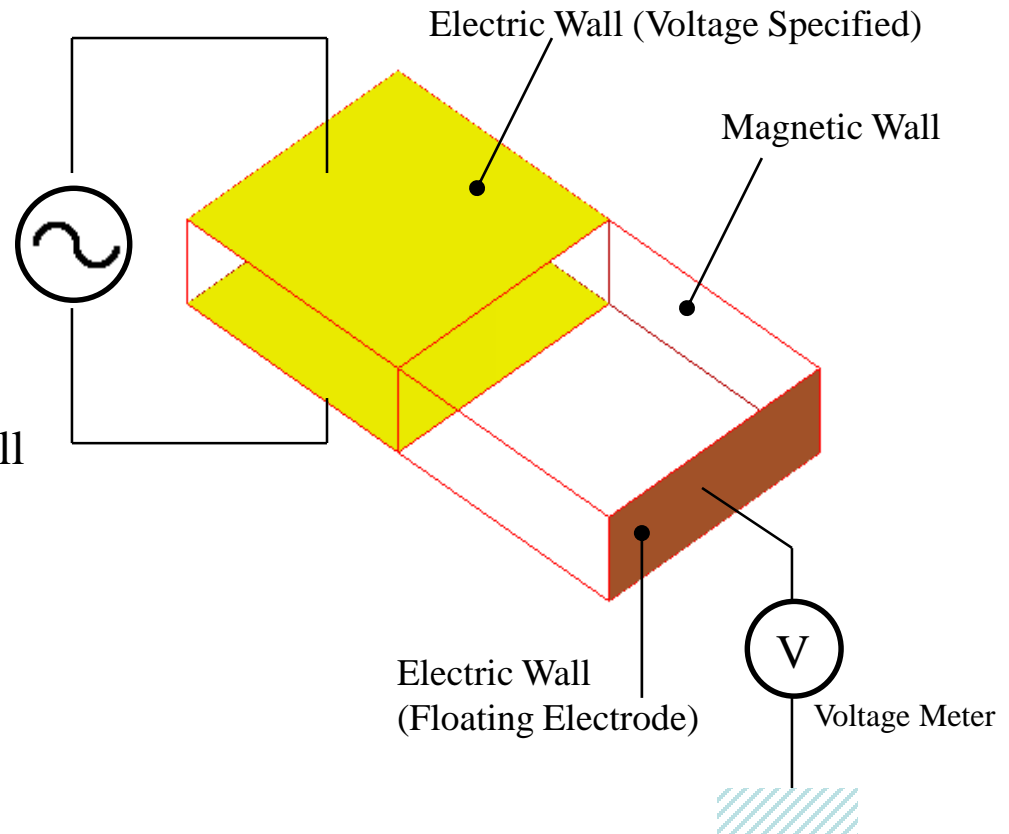


## Electric Wall

Electric field is perpendicular to the wall



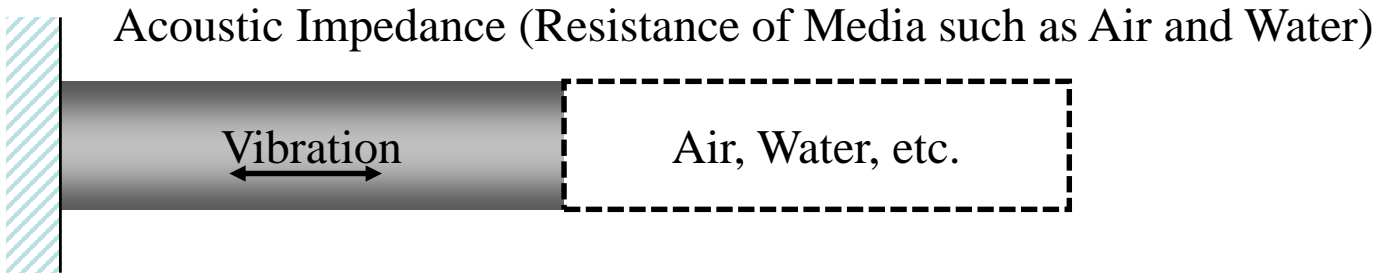
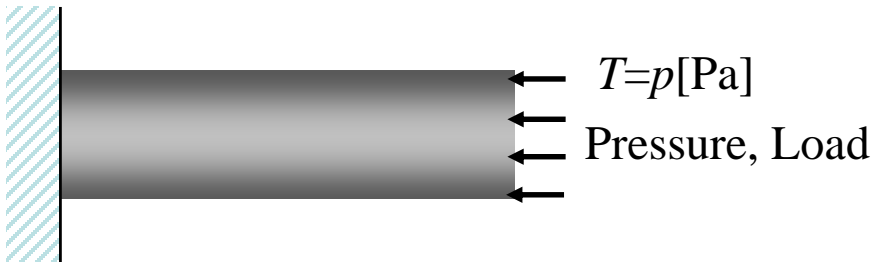
## Example: Piezoelectric Transformer





$u=0$  (Constrained)

$u=1$  [mm] Forced Displacement



# Example: Acoustic Impedance

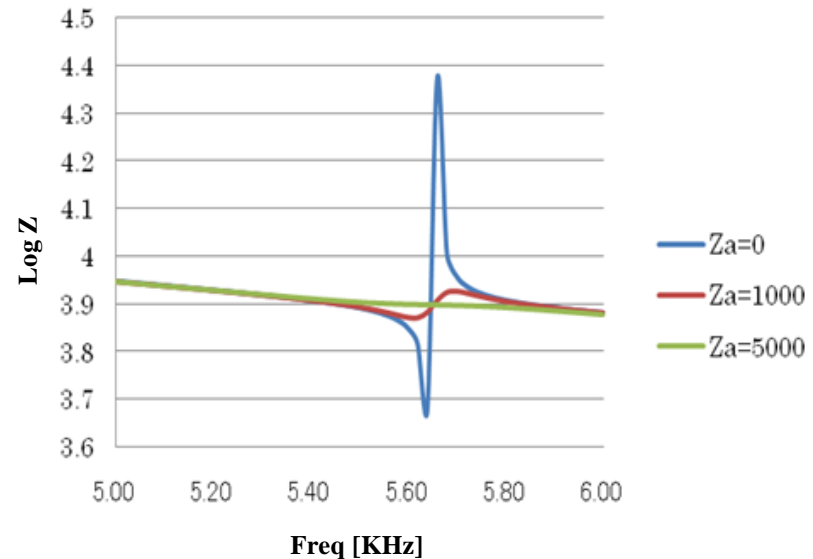
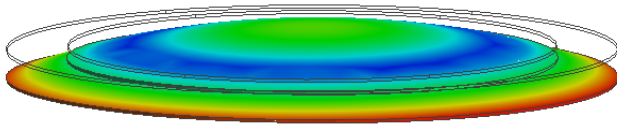
Acoustic impedance represents the resistance of media such as air or water. By applying the acoustic impedance as a boundary condition to the face that is in contact with the media, the resistance of air or water can be taken into account.

In the harmonic analysis, acoustic impedance is expressed by  $Z=\rho c$  where  $\rho$  is density,  $c$  is sound speed of medium.

[Examples]

Air:  $Z = 1.205[\text{kg}/\text{m}^3] * 340[\text{m}/\text{s}] = 409.7[\text{kg}/(\text{m}^2 \cdot \text{s})] = 409.7 [\text{N} \cdot \text{s}/\text{m}^3]$

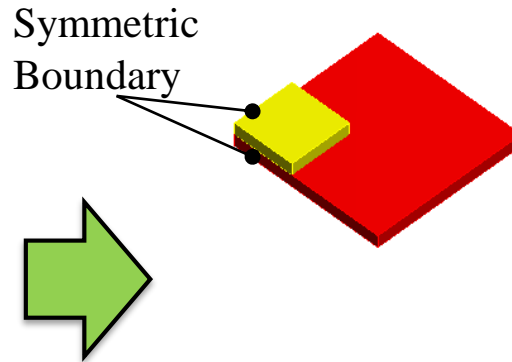
Water:  $Z = 997[\text{kg}/\text{m}^3] * 1500[\text{m}/\text{s}] = 1.496\text{e}6[\text{kg}/(\text{m}^2 \cdot \text{s})] = 1.4596\text{e}6[\text{N} \cdot \text{s}/\text{m}^3]$



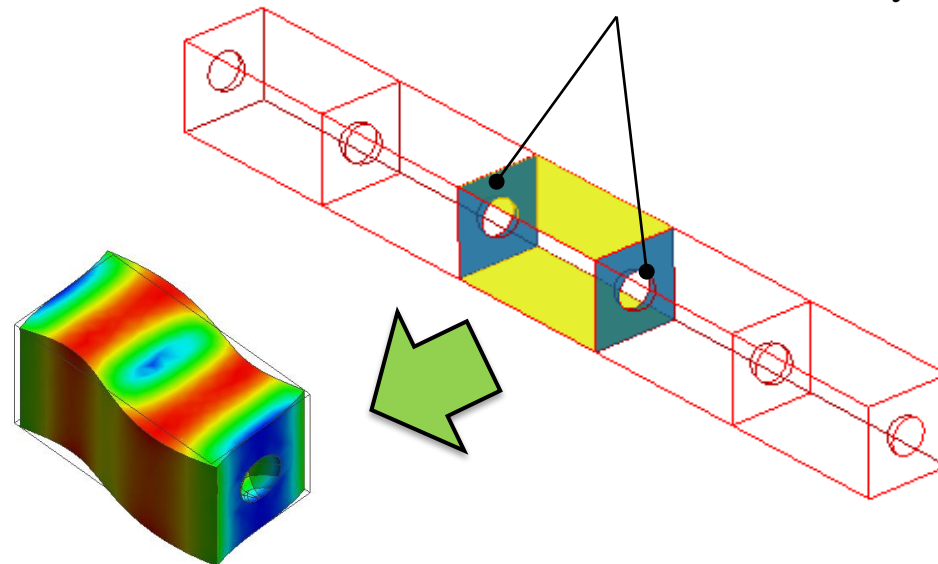
Full Model



Symmetric Model



Periodic Boundary



# (3) Material Property

## Piezoelectric Constants

Elasticity

Piezoelectricity

Permittivity

Loss (1/Qm, tanδ)

Edit Material Property [000\_P-4]

Density

Piezoelectricity

Viscoelasticity

Notes

### Piezoelectricity

Material Type

Piezoelectric Material
  Dielectric Material (non-piezoelectric)
  Perfect Conductor

Anisotropy

Isotropic  
 Anisotropic

Piezoelectricity Type

e-type  h-type  
 d-type  g-type

Elasticity matrix (compliance)

1	0.76				
2	-0.16	0.76			
3	-0.17	-0.17	0.82		
4	0	0	0	1.85	
5	0	0	0	0	1.85
6	0	0	0	0	0
	1	2	3	4	5

X10 [1/Pa]

1/Qm (Mechanical Damping)

5 X10 -4

tanD (Electrical Attenuation)

6 X10 -3

Piezoelectricity matrix

1	0	0	0	0	7.1	0
2	0	0	0	7.1	0	0
3	-0.7	-0.7	5.8	0	0	0
	1	2	3	4	5	6

X10 [C/N]

Relative permittivity matrix

1	2.47		
2	0	2.47	
3	0	0	2
	1	2	3

X10

## Density

Edit Material Property [000\_P-4]

Density

Piezoelectricity

Viscoelasticity

Notes

### Density

Density

7.7 X10 3 [kg/m3]

# Piezoelectric Constant

Edit Material Property [000\_P-4]

**Piezoelectricity**

Material Type:  Piezoelectric Material  Dielectric Material (non-piezoelectric)  Perfect Conductor

Anisotropy:  Isotropic  Anisotropic

Piezoelectricity Type:  e-type  h-type  d-type  g-type

1/Qm (Mechanical Damping): 5 X10

tanD (Electrical Attenuation): 6 X10

Relative permittivity matrix: 2

Elasticity matrix (compliance) [1/Pa]:

1	0.76				
2	-0.16	0.76			
3	-0.17	-0.17	0.82		
4	0	0	0	1.85	
5	0	0	0	0	1.85
6	0	0	0	0	0

Piezoelectricity matrix [C/N]:

1	0	0	0	0	7.1	0
2	0	0	0	7.1	0	0
3	-0.7	-0.7	5.8	0	0	0

e-type (often used for single-crystal)

$$[T] = [c^E][S] - [e][E]$$

$$[D] = [e_r][S] + [\epsilon^T][E]$$

d-type (often used for ceramic)

$$[S] = [s^E][T] + [d][E]$$

$$[D] = [d_r][T] + [\epsilon^T][E]$$

h-type

$$[T] = [c^D][S] - [h][D]$$

$$[E] = -[h_r][S] + [\beta^T][D]$$

g-type

$$[S] = [s^D][T] + [g][D]$$

$$[E] = -[g_r][T] + [\beta^T][D]$$

where

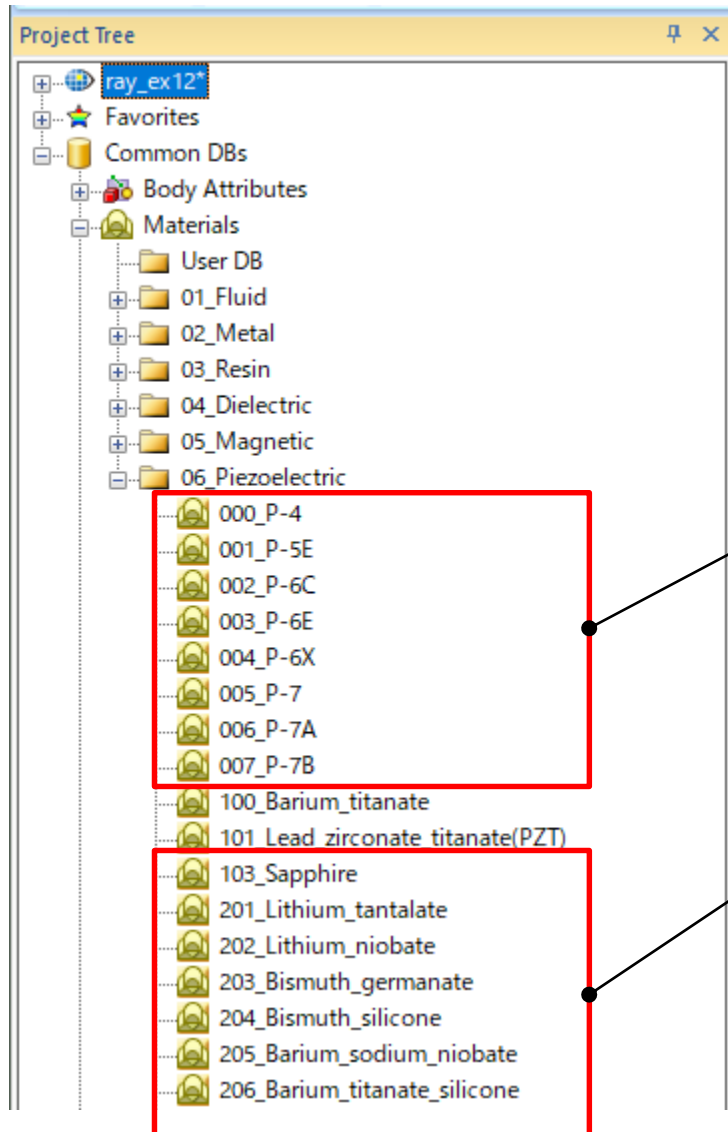
$T$ : stress,

$S$ : strain,

$D$ : electric flux density,

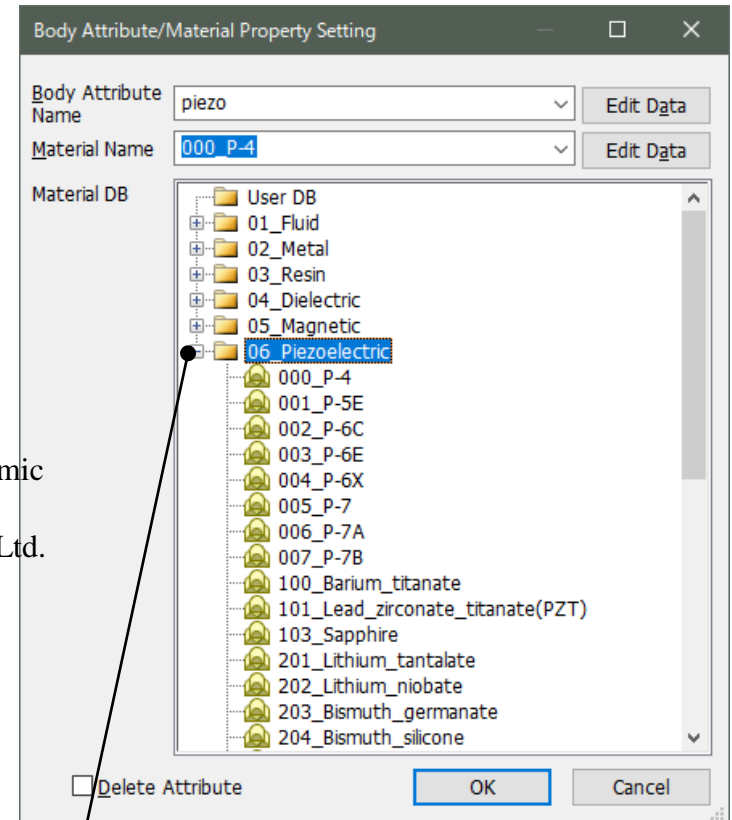
$E$ : electric field

- Set the value for each vibration mode
- The resonant amplitude is proportional to Qm
- Resonant resistance is inversely proportional to Qm



Piezoelectric Ceramic  
made by  
Murata Mfg. Co., Ltd.  
(not for sale)

Single-crystal



Click on "+".  
The list of materials shows up.

# (4) Body Attribute

## Thickness/Width

The thickness of sheet body is for the 3D analysis.

Edit Body Attribute [metal]

**Thickness/Width**

Thickness of Sheet Body

1.0 X10 [mm]

Cross section area of wire body

1.0 X10 [mm<sup>2</sup>]

## Direction

The axis direction of polarization and crystallization is specified.

Edit Body Attribute [metal]

**Direction**

Specified by

Vector  Centripetal Direction (Radial)  Polar Anisotropy

Euler Angle  Circumferential Direction  Halbach

Z' Vector

X 0.0

Y 0.0

Z 1.0

Enter two vectors and specify 3 directions

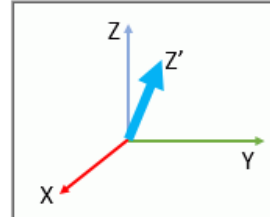
X' Vector

X 0.0

Y 0.0

Z 0.0

XYZ is a coordinate system of modeling window.  
X'Y'Z' is a coordinate system of material property.



Use distribution data

Use Z' vector distribution

Use X' vector distribution

## Default Setting

**Direction**

Specified by

Vector     Centripetal (Radial)

Euler Angle     Circumferential Direction

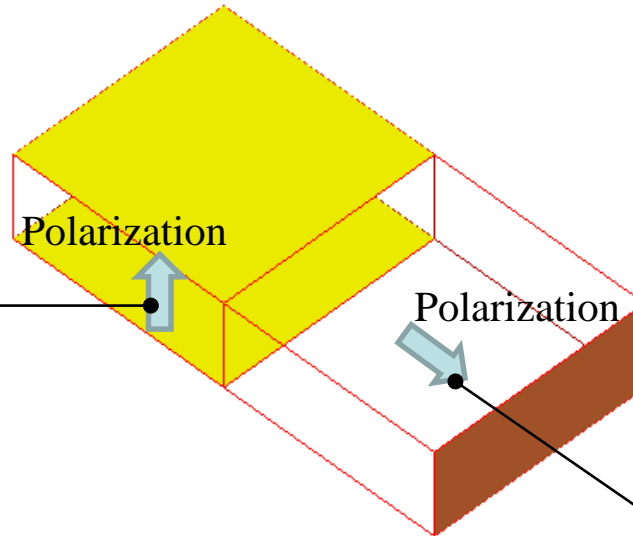
Z' Vector

X

Y

Z

## Piezoelectric Transformer



**Direction**

Specified by

Vector     Centripetal (Radial)

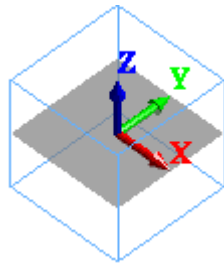
Euler Angle     Circumferential Direction

Z' Vector

X

Y

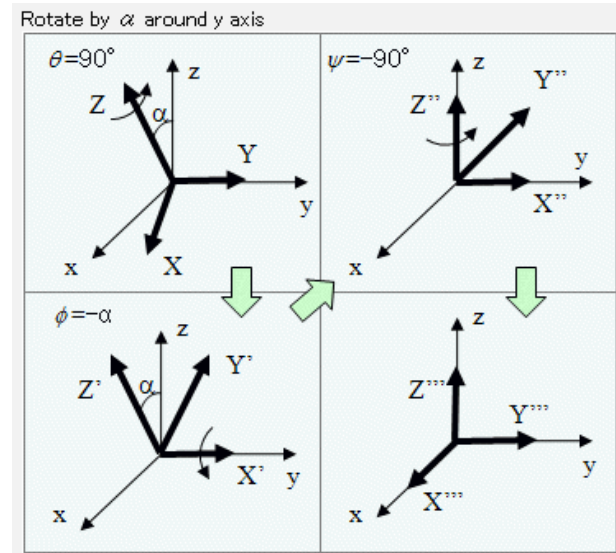
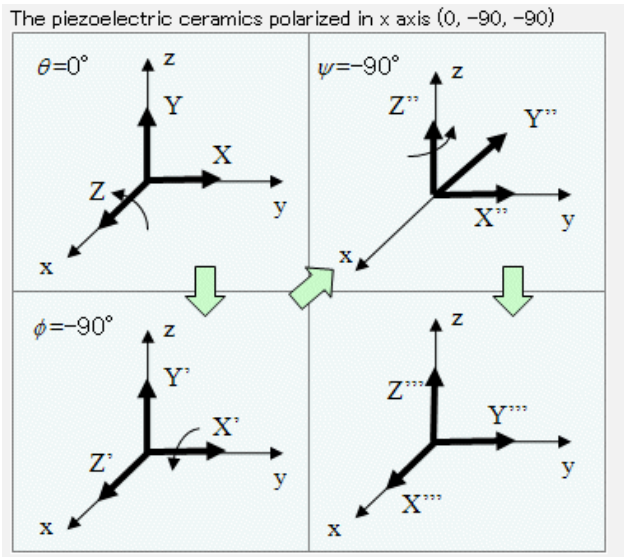
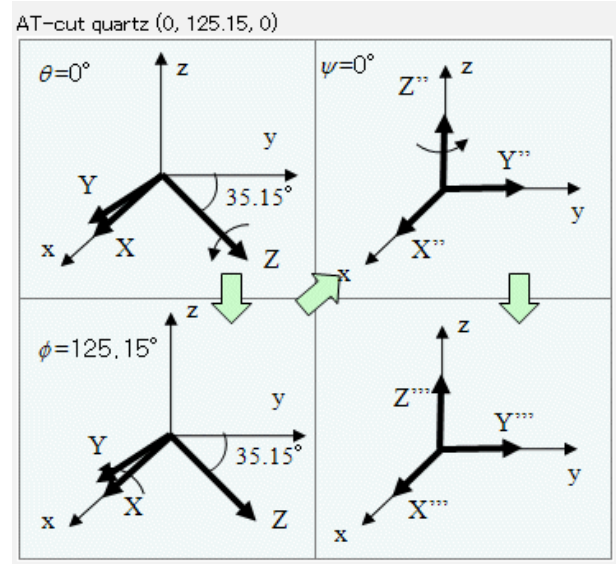
Z





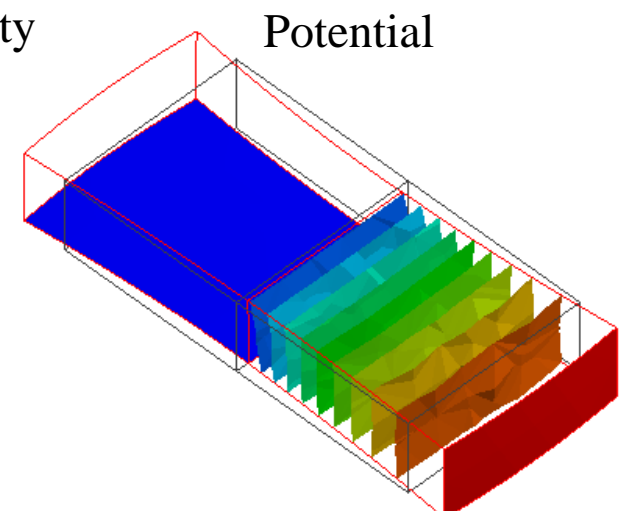
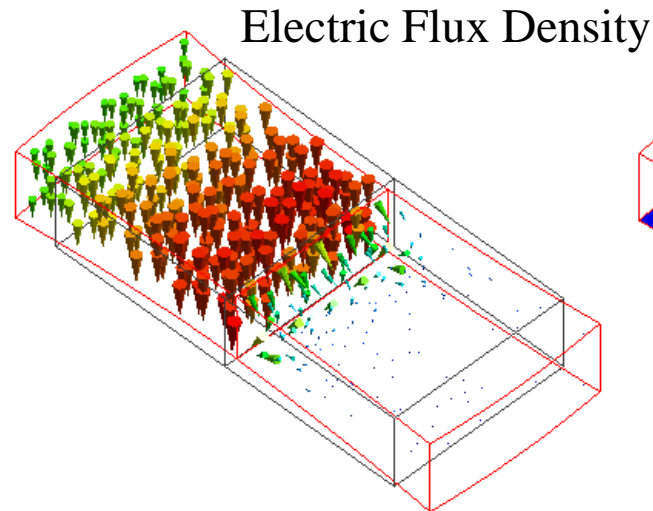
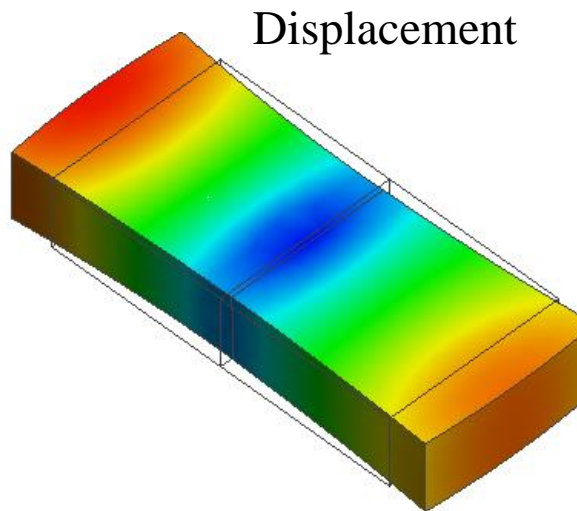
Direction		
Specified by		
<input type="radio"/> Vector	<input type="radio"/> Centripetal Direction (Radial)	<input type="radio"/> P
<input checked="" type="radio"/> Euler Angle	<input type="radio"/> Circumferential Direction	<input type="radio"/> H
Euler angle		
Z	<input type="text" value="0.0"/>	
X	<input type="text" value="0.0"/>	[deg]
Z	<input type="text" value="0.0"/>	

Euler angle ( $\theta$ ,  $\phi$ ,  $\psi$ ) is an angle rotated around Z axis by angle  $\theta$ , around X' axis by angle  $\phi$ , and around Z'' axis by angle  $\psi$ .



# (5) Results Display - Field

- Displacement [m]
- Strain
- Mechanical Stress [Pa]
- Potential [V]
- Electric Field [V/m]
- Electric Flux Density [C/m<sup>2</sup>]



The charge on the electrode is not uniform.

## Numerical Summary of Harmonic Analysis

- Charge of electrode with voltage specified [C]
- Current of electrode with voltage specified [A]
- Voltage of floating electrode [V]

\*[Add a resistor across to ground] is deselected.



The sum of charges on the floating electrode is zero.

The current is zero as well.



The data of the numerical table can be exported to csv file and used on Excel

### “Admittance” Tab

Table					
Admittance					
	Frequency [Hz]	Port 1	Y(1,1) / Real part	Y(1,1) / Imaginary part	
0:	5.600000e+03Hz	5.600e+3	hot	1.496e-6	1.270e-4
1:	5.602000e+03Hz	5.602e+3	hot	1.506e-6	1.270e-4
2:	5.604000e+03Hz	5.604e+3	hot	1.517e-6	1.271e-4
3:	5.606000e+03Hz	5.606e+3	hot	1.527e-6	1.271e-4

### “Charge [C]” Tab

Table			
Charge [C]			
	Frequency [Hz]	hot /	Real part
0:	5.600000e+03Hz	5.600e+3	3.609e-9
1:	5.602000e+03Hz	5.602e+3	3.609e-9
2:	5.604000e+03Hz	5.604e+3	3.609e-9
3:	5.606000e+03Hz	5.606e+3	3.609e-9

### “Floating electrode potential [V]” Tab

Table				
Floating electrode potential [V]				
	Frequency [Hz]	float /	Real part	float /
0:	5.600000e+03Hz	5.600e+3	0	0
1:	5.602000e+03Hz	5.602e+3	0	0
2:	5.604000e+03Hz	5.604e+3	0	0
3:	5.606000e+03Hz	5.606e+3	0	0

### “Current [A]” Tab

Table			
Current [A]			
	Frequency [Hz]	hot /	Real part
0:	5.600000e+03Hz	5.600e+3	1.496e-6
1:	5.602000e+03Hz	5.602e+3	1.506e-6
2:	5.604000e+03Hz	5.604e+3	1.517e-6
3:	5.606000e+03Hz	5.606e+3	1.527e-6

Piezoelectric Analy Show all results summary Display Options Graph Export

# Results Display

## Numerical Summary of Resonant Analysis

- Damping capacitance: Cd [pF]
- Free capacitance: Cf [pF]
- Resonant frequency: Fr[Hz]
- Difference between resonant freq. and anti-resonant freq.: DF[Hz]
- Coupling coefficient: k [%]
- Resonant resistance: Rn[ohm]
- Equivalent capacitance: Cn[pF]
- Equivalent inductance: Ln[ H]

“Damping Capacitance [F]” Tab

Table		
Damping capacitance [F]		
	Frequency [Hz]	Damping capacitance [F]
0:	3.371928e+03Hz	3.372e+3 2.716e-9
1:	3.434018e+03Hz	3.434e+3 2.716e-9
2:	5.926161e+03Hz	5.926e+3 2.716e-9

“Resonant Frequency [Hz]” Tab

Table				
Resonant frequency [Hz]				
	Frequency [Hz]	Resonant frequency [Hz] / Real part	Resonant frequency [Hz] / Imaginary part	
0:	3.371928e+03Hz	3.372e+3	3.372e+3	0.286
1:	3.434018e+03Hz	3.434e+3	3.434e+3	0.281
2:	5.926161e+03Hz	5.926e+3	5.926e+3	0.593

“Coupling Coefficient [%]” Tab

Table		
Coupling coefficient [%]		
	Frequency [Hz]	Coupling coefficient [%]
0:	3.371928e+03Hz	3.372e+3 1.786e-1
1:	3.434018e+03Hz	3.434e+3 1.749e-2
2:	5.926161e+03Hz	5.926e+3 4.674e+0

“Equivalent Capacitance [F]” Tab

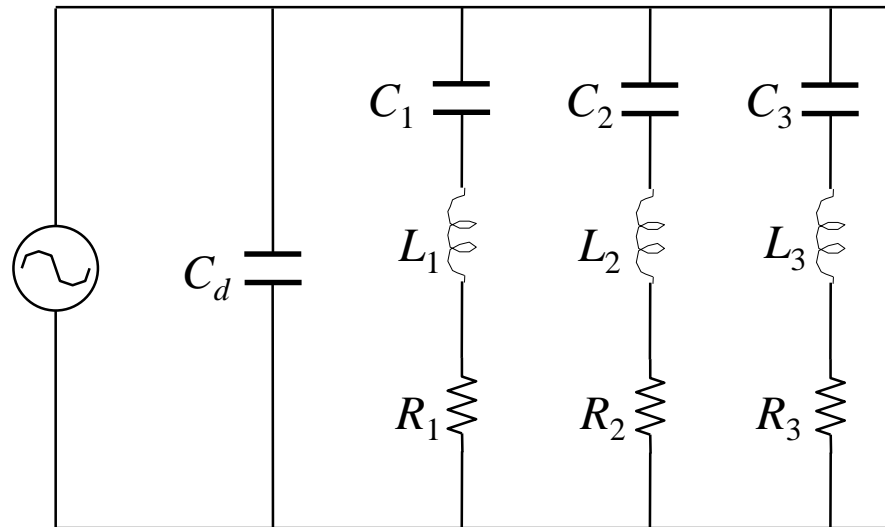
Table		
Equivalent capacitance [F]		
	Frequency [Hz]	Equivalent capacitance [F]
0:	3.371928e+03Hz	3.372e+3 1.134e-14
1:	3.434018e+03Hz	3.434e+3 1.087e-16
2:	5.926161e+03Hz	5.926e+3 7.766e-12

Piezoelectric Analy 
 Show all results summary   
 Show all results summary   
 0: 3.371928e+03Hz   
 1: 3.434018e+03Hz   
 2: 5.926161e+03Hz
 

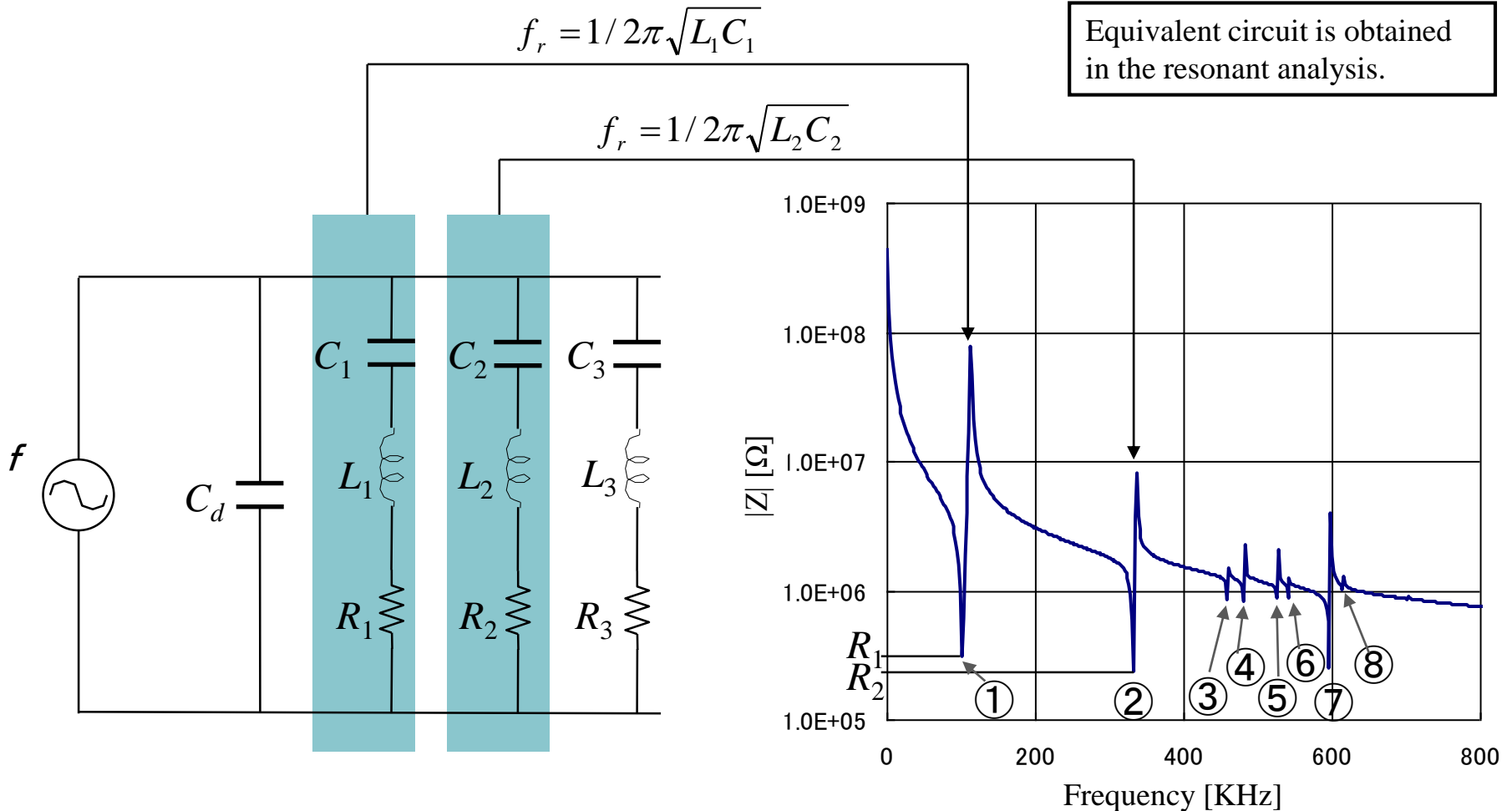
 Display Options   Graph   Export

# Equivalent Circuit

Equivalent circuit is obtained in the resonant analysis.



- $C_k$  : equivalent series capacitance
- $L_k$  : equivalent series inductance
- $R_k$  : equivalent series resistance
- $C_d$  : damping capacitance
- $C_f$  : free capacitance

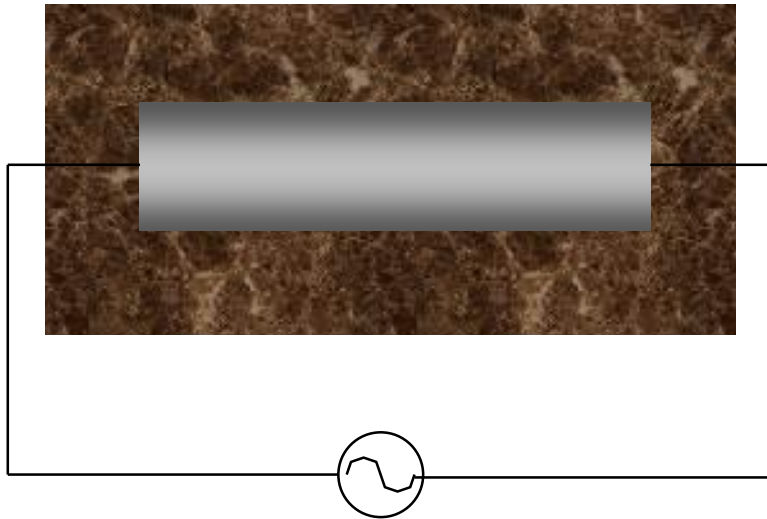


The equivalent circuit has multiple resonators. The number of resonators corresponds to the number of modes which is defined on the [Resonant Analysis] tab of the analysis condition setting. In the right figure above shows 8 resonant points, which means the calculation was performed with at least 8 modes.

The harmonic analysis results take into account all modes included in the range of analysis frequencies.

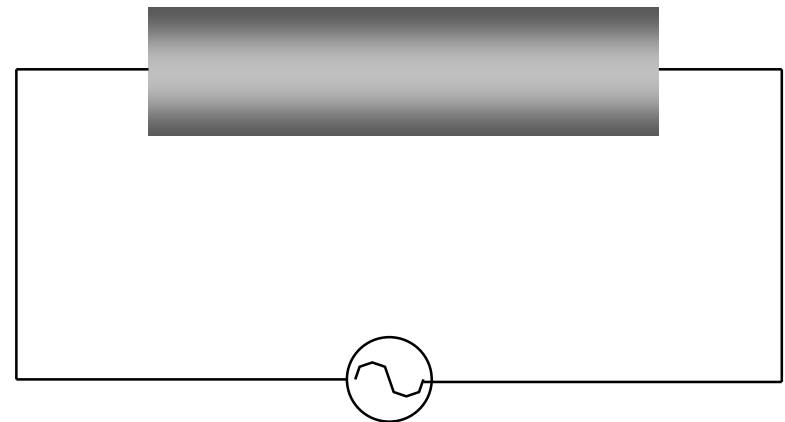
Equivalent circuit is obtained in the resonant analysis.

$C_d$  : Damping Capacitance  
Cannot move freely



$C_f$  : Free Capacitance  
Freely moving

$$C_f = C_d + \sum_k C_k$$



# Other Parameters

In the resonant analysis, resonant frequency, difference of the resonant frequency and anti-resonant frequency, and coupling coefficient are output.

## Resonant Frequency

The resistance is at its minimum.

$$f_r$$

## Anti-resonant Frequency

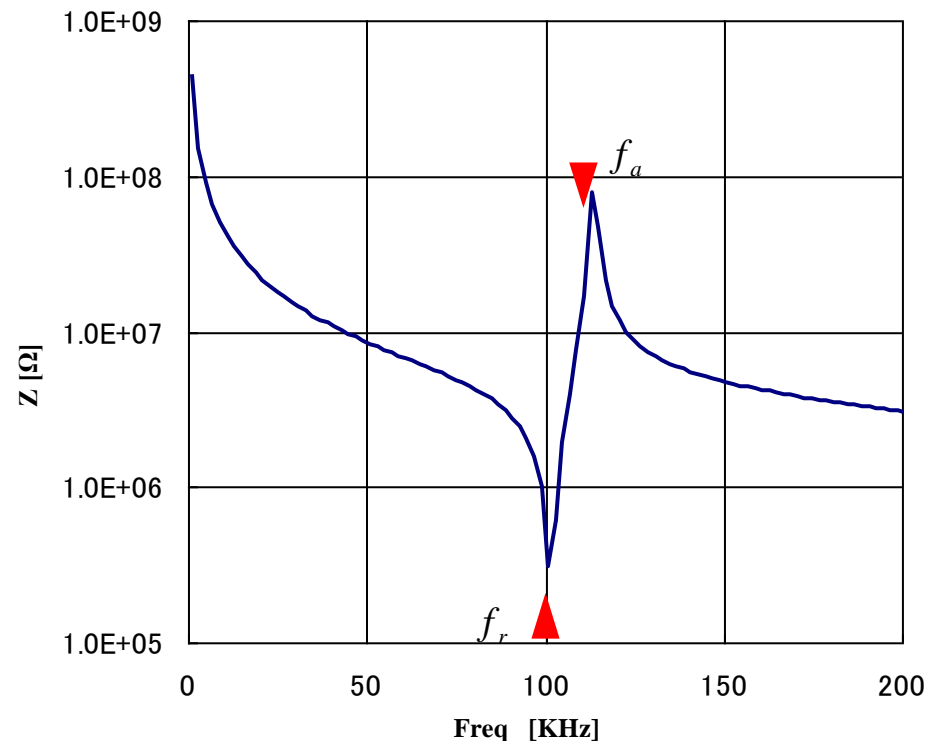
The resistance is at its maximum.

$$f_a = f_r \sqrt{1 + C_k / C_d}$$

## Coupling Coefficient

Conversion efficiency between electrical and mechanical

$$k = \sqrt{C_k / C_f}$$



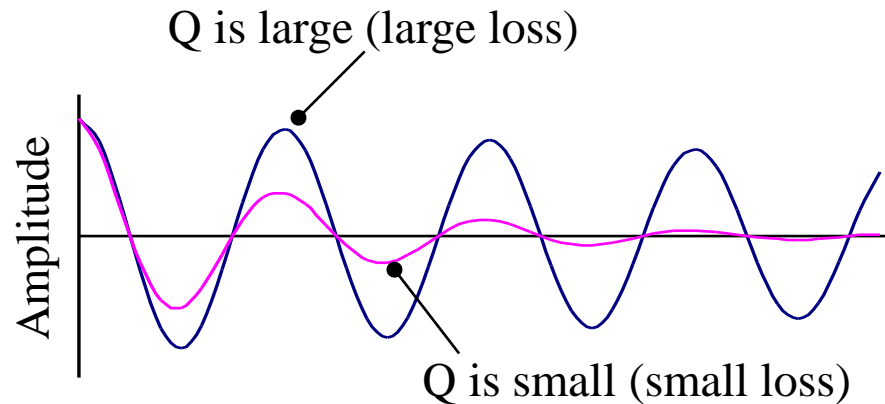
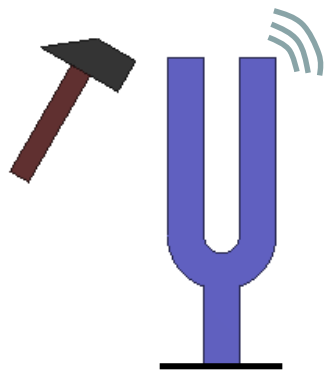
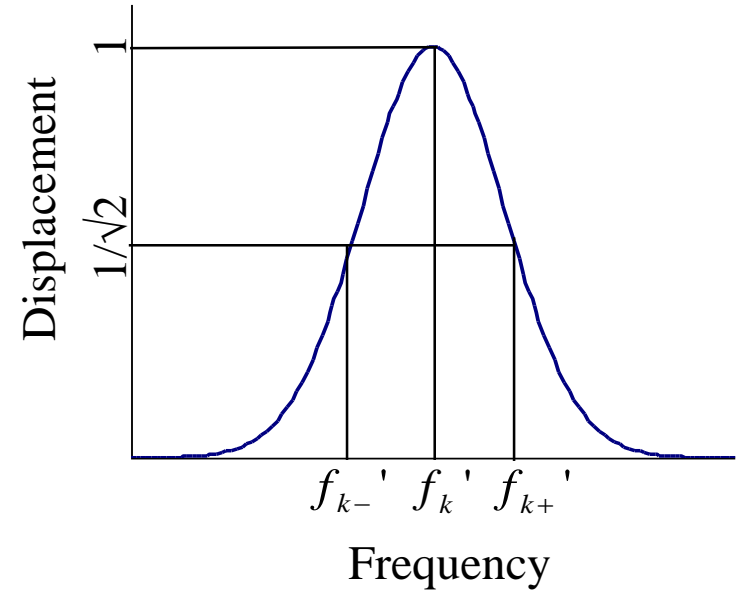


In the resonant analysis, complex resonant frequency is obtained by entering Q of material,  $\tan\delta$ , and acoustic impedance. Frequency response of displacement is obtained in the harmonic analysis.

Q is the ratio of the real part and the imaginary part.

$$f_k = f_k' + jf_k''$$

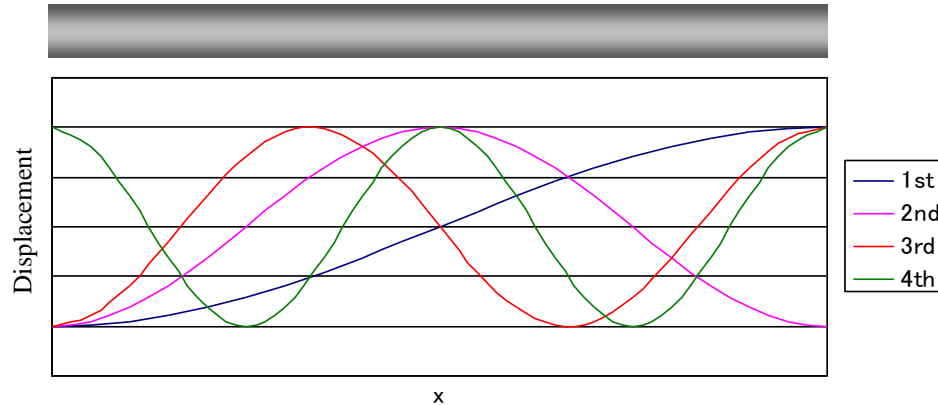
$$Q = \frac{f_k'}{f_{k+}' - f_{k-}'} = \frac{1}{R_k} \sqrt{\frac{L_k}{C_k}} = \frac{f_k'}{2f_k''}$$



- (1) Mesh Size
- (2) Symmetric Model

# (1) Mesh Size

Elongation of a Bar



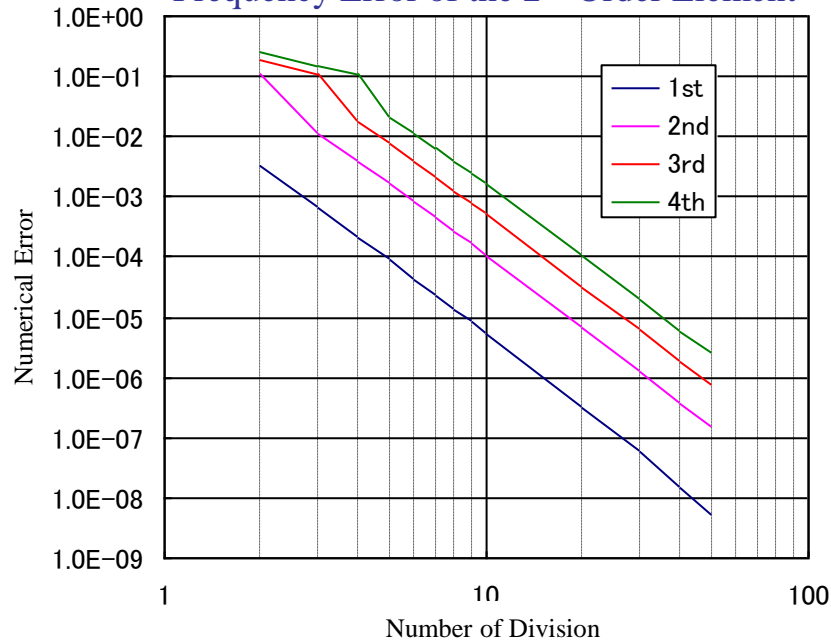
Frequency of the vertical vibration

$$f_n = \frac{n}{2L} \sqrt{\frac{E}{\rho}} \quad (n = 1, 2, 3, 4)$$

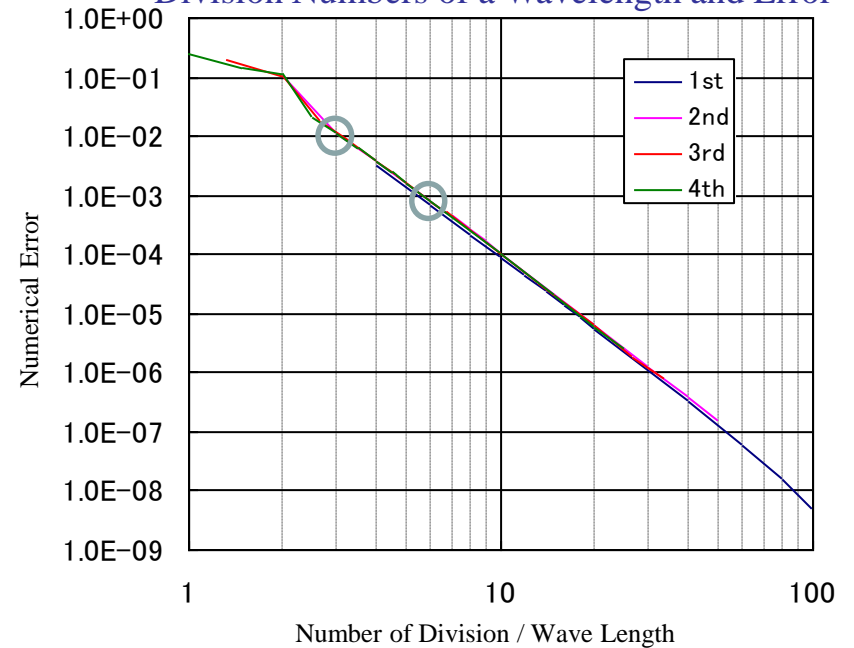


3 divisions of a wavelength: 1%  
6 divisions of a wavelength: 0.1%

Frequency Error of the 2<sup>nd</sup> Order Element

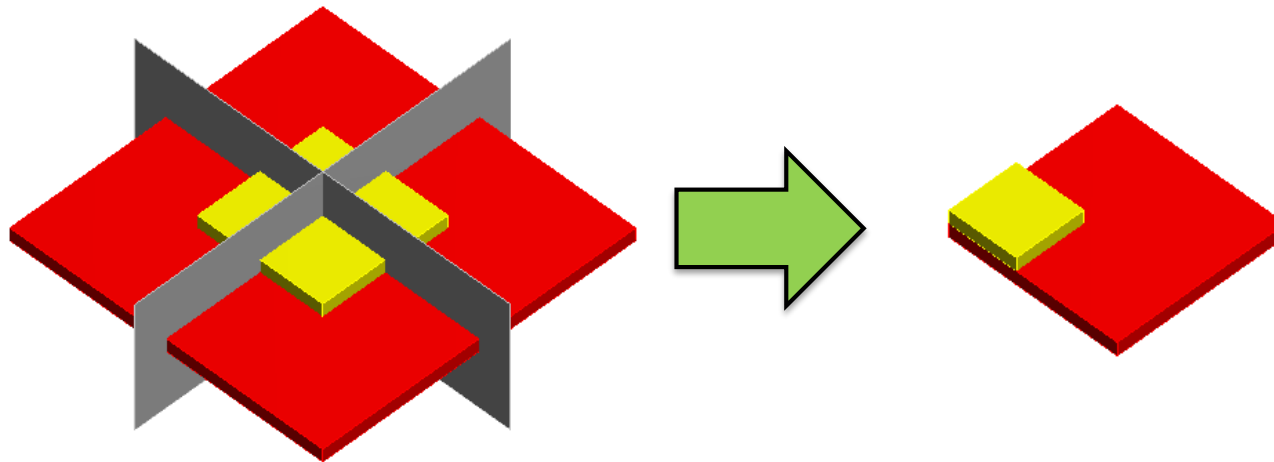


Division Numbers of a Wavelength and Error



## (2) Symmetric Model

By analyzing a part of the domain, calculation is performed in shorter time with less memory usage.



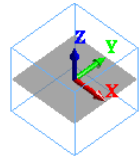
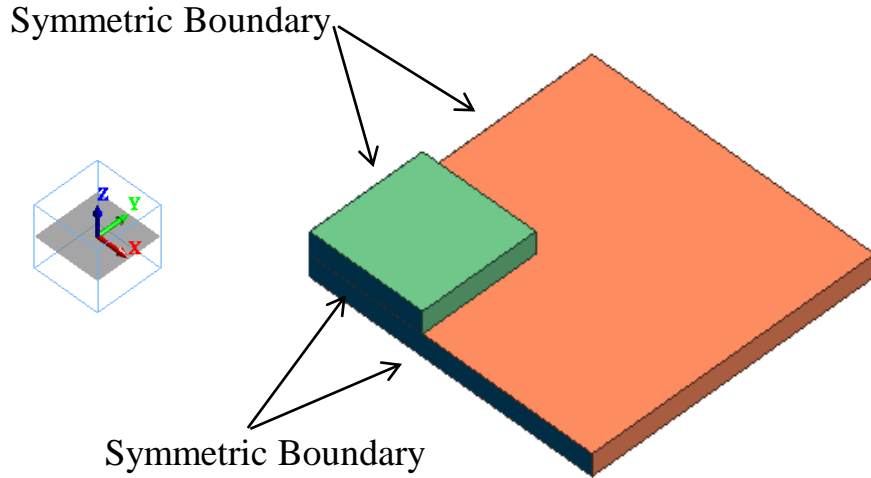
Full Model

Symmetric Model

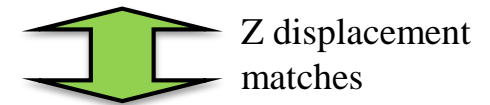
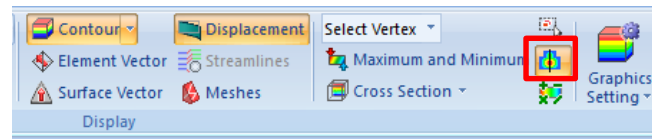
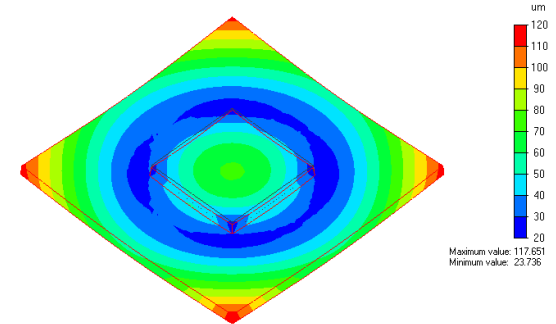
Domain	Memory	Time
1/2	1/2	1/4 (25.0%)
1/4	1/4	1/16 ( 6.3%)
1/8	1/8	1/64 ( 1.6%)

# (2) Symmetric Model

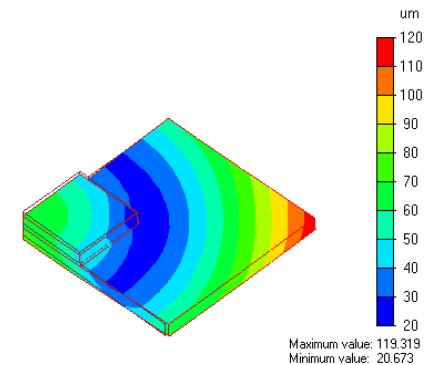
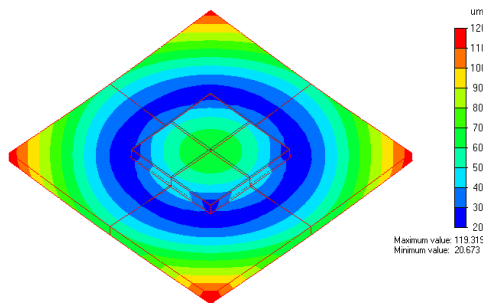
Set symmetric boundary condition on the faces of symmetry.



Calculation with a Full Model



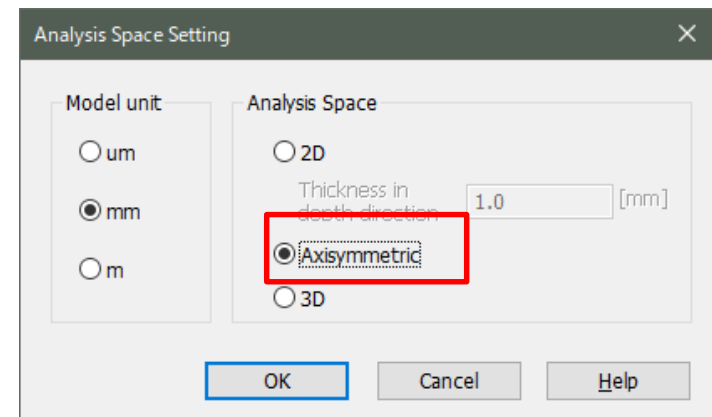
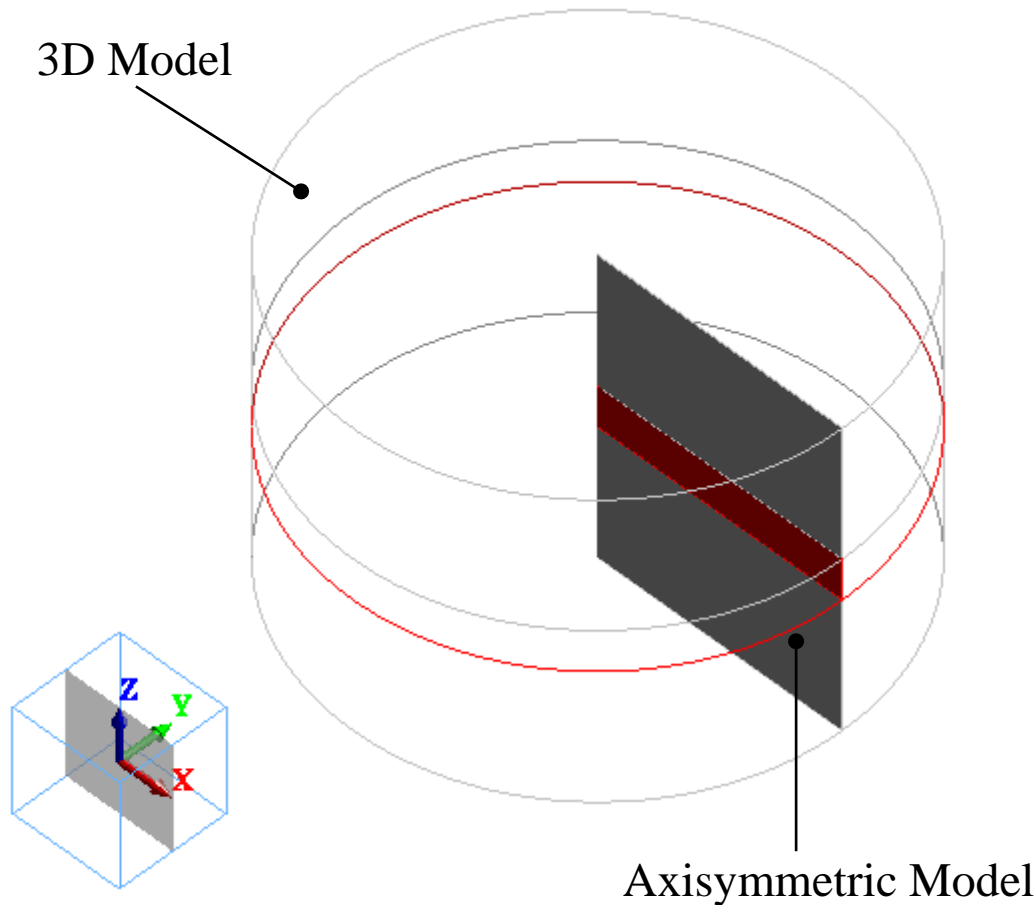
Convert the symmetric model to the full model



Calculation with a symmetric model

## (2) Symmetric Model

In the axisymmetric analysis of XZ plane, the analysis time is greatly reduced.



# Table of Contents

## ☆ Piezoelectric Analysis

1. Case Studies
2. Functions
3. Points

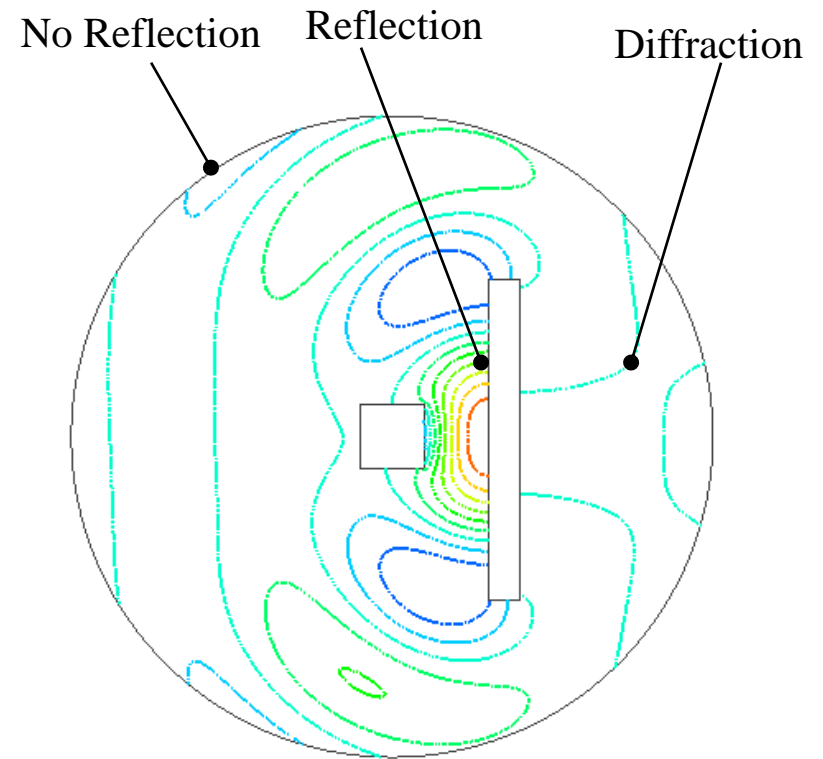
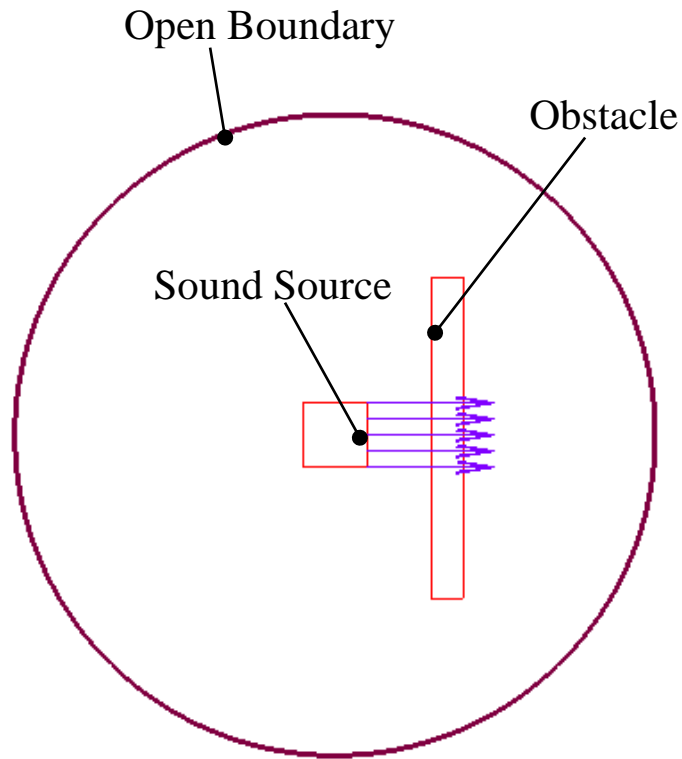
## ☆ Acoustic Analysis

4. Case Studies
5. Functions
6. Points

## ☆ Piezoelectric-Acoustic Coupled Analysis

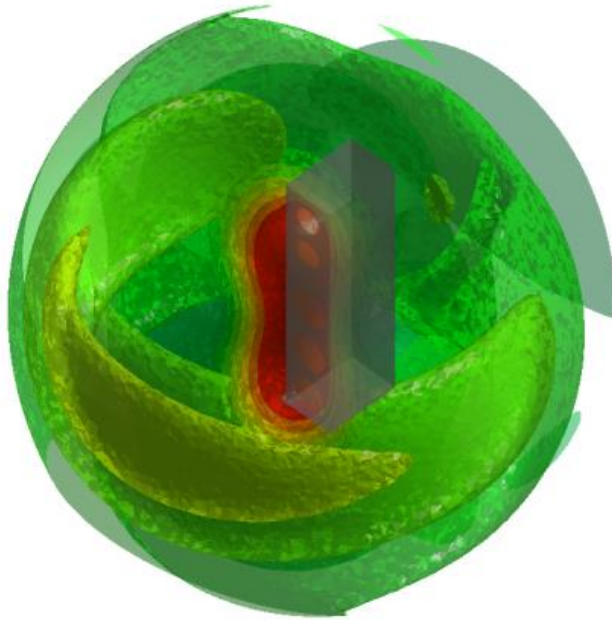
7. Case Studies
8. Points

## Reflection and Diffraction



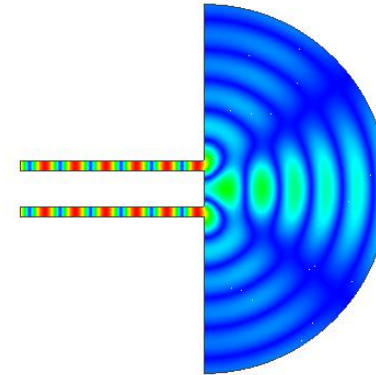


## Sound Pressure of Speaker

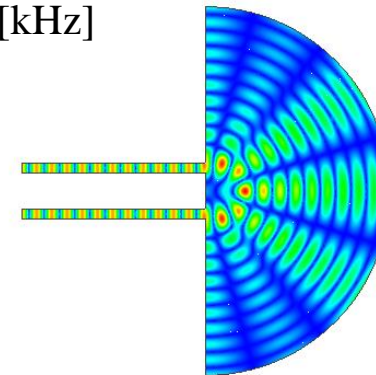


## Interference of Sound Waves

1[kHz]

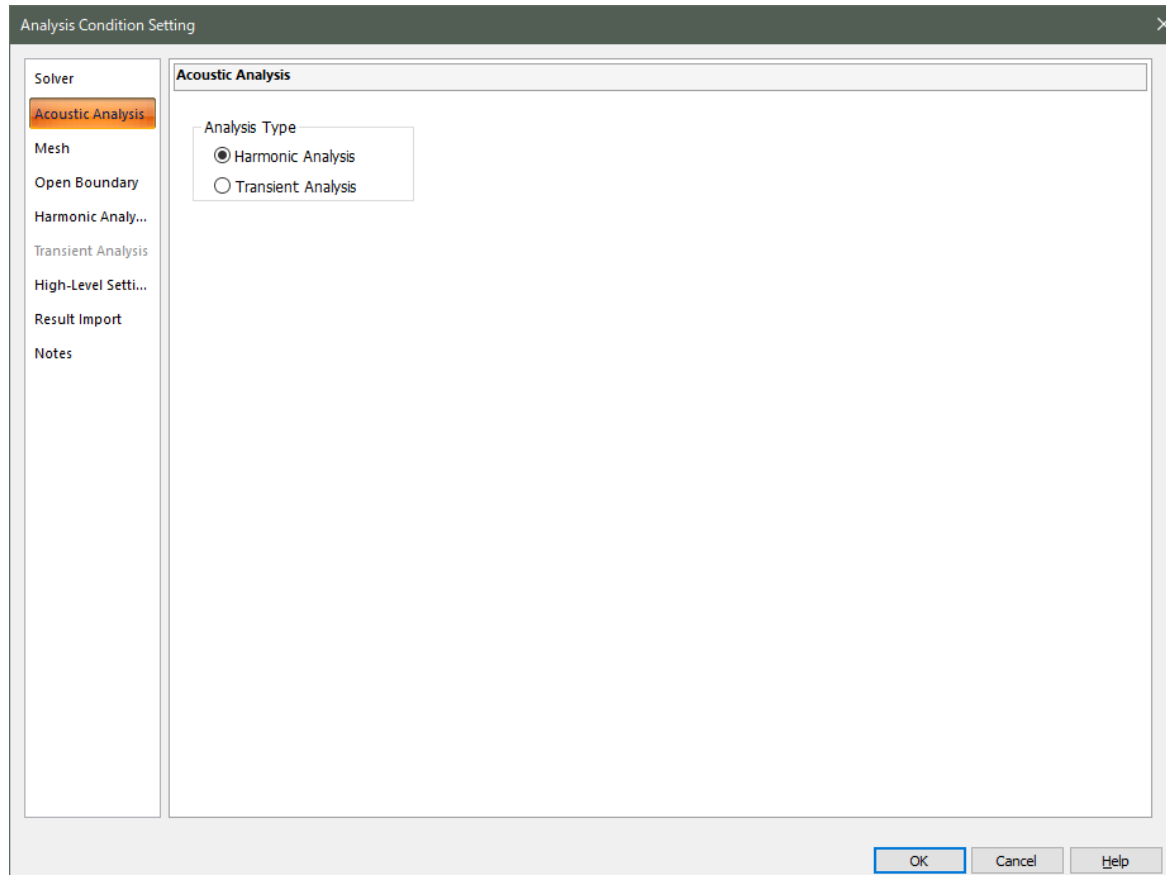


2[kHz]



- (1) Analysis Condition
- (2) Boundary Condition
- (3) Material Property
- (4) Body Attribute
- (5) Results Display

# (1) Analysis Condition

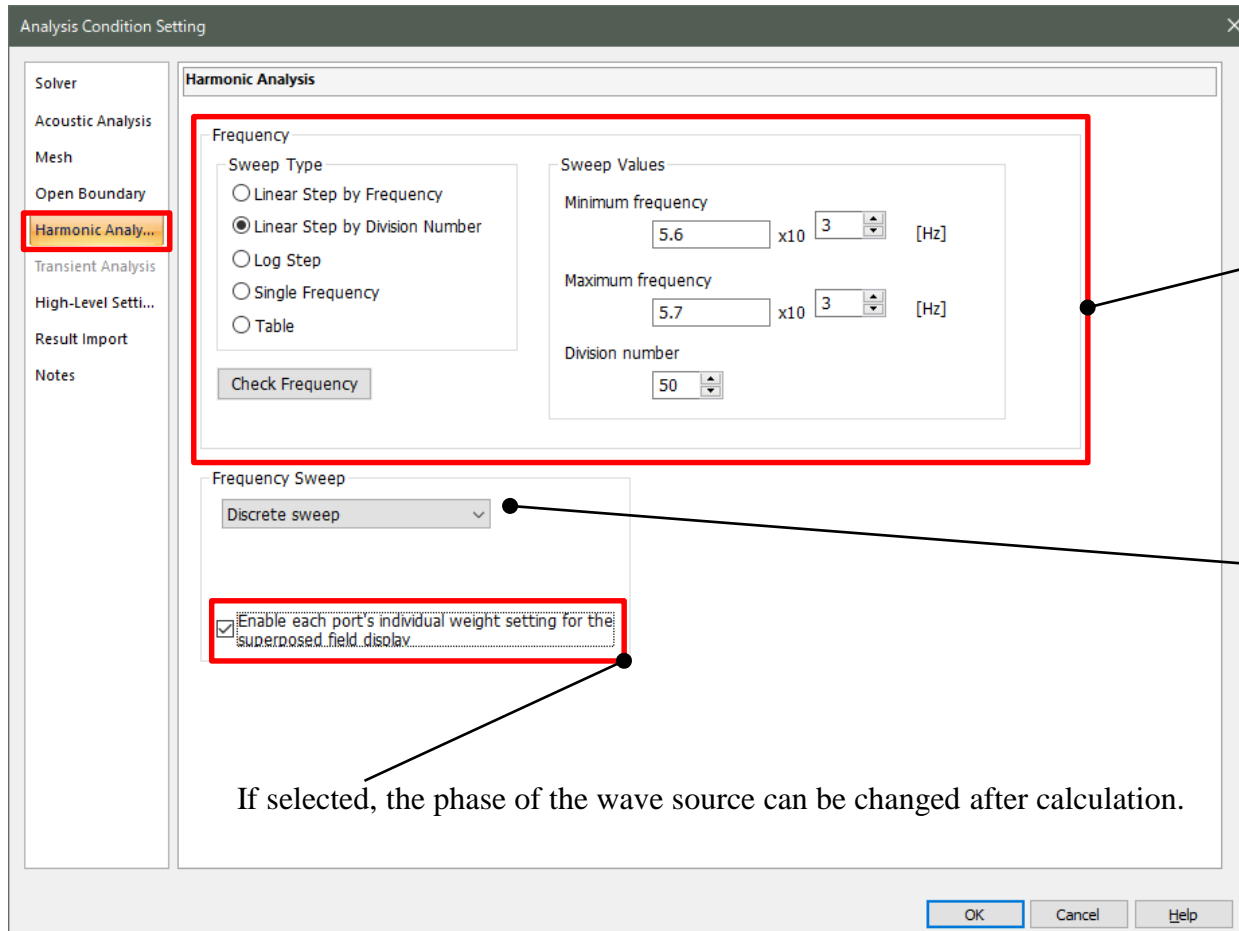


Analysis Type

Harmonic

Transient

# Harmonic Analysis

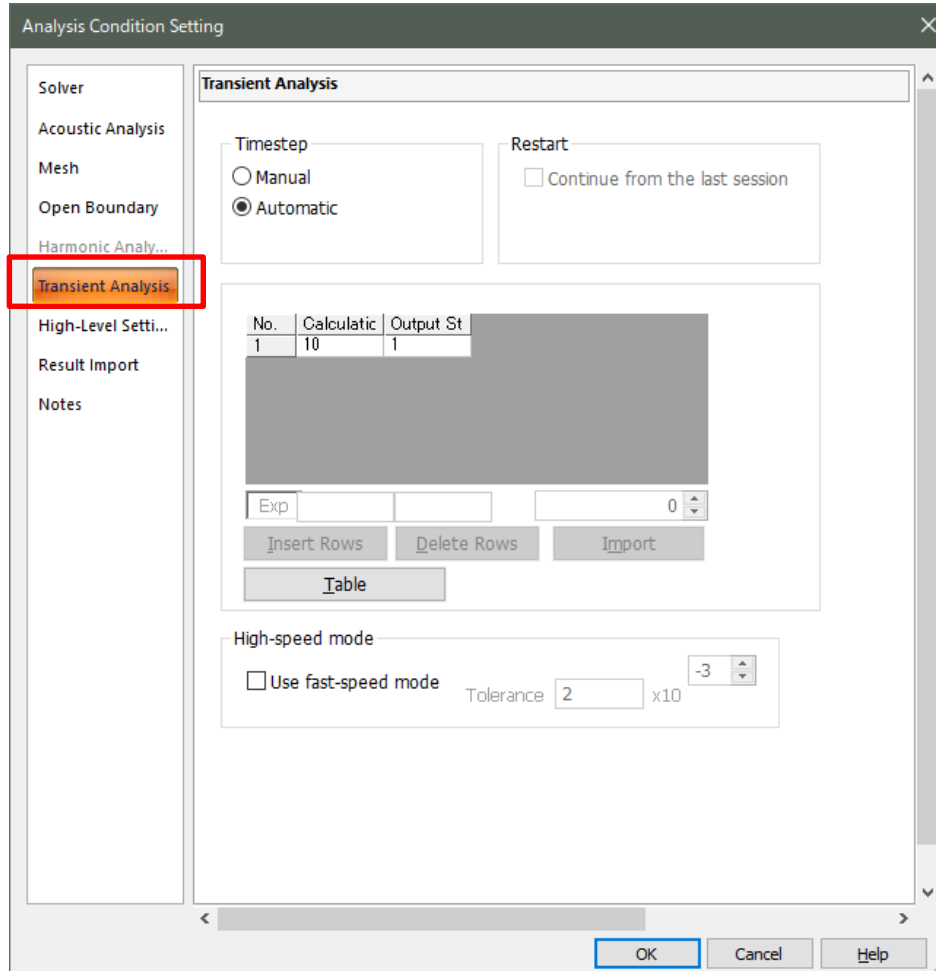


Setting of Frequency for Calculation

Select [Discrete Sweep] or [Fast Sweep].  
If using high-spec computer with enough memory, [Parallel Discrete Sweep] is available\*

If selected, the phase of the wave source can be changed after calculation.

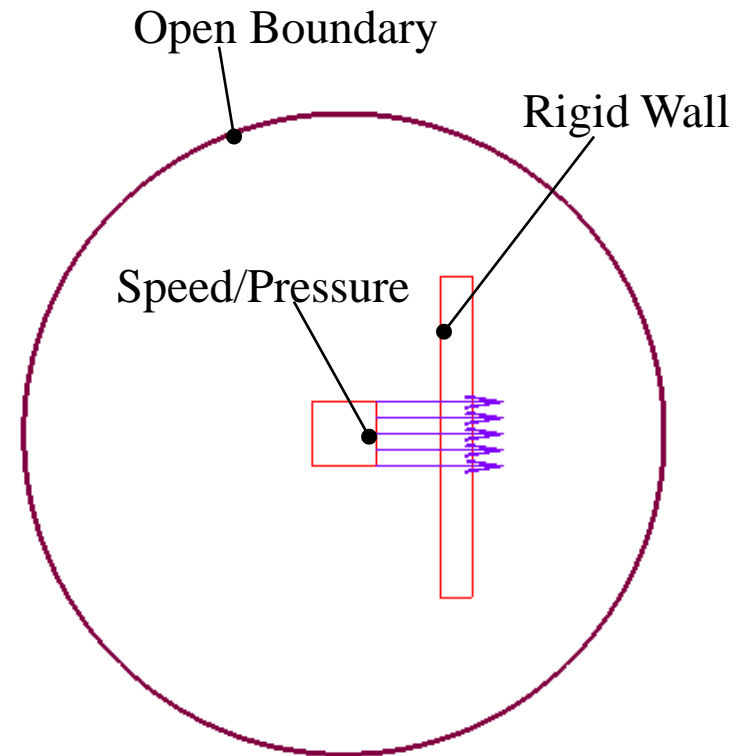
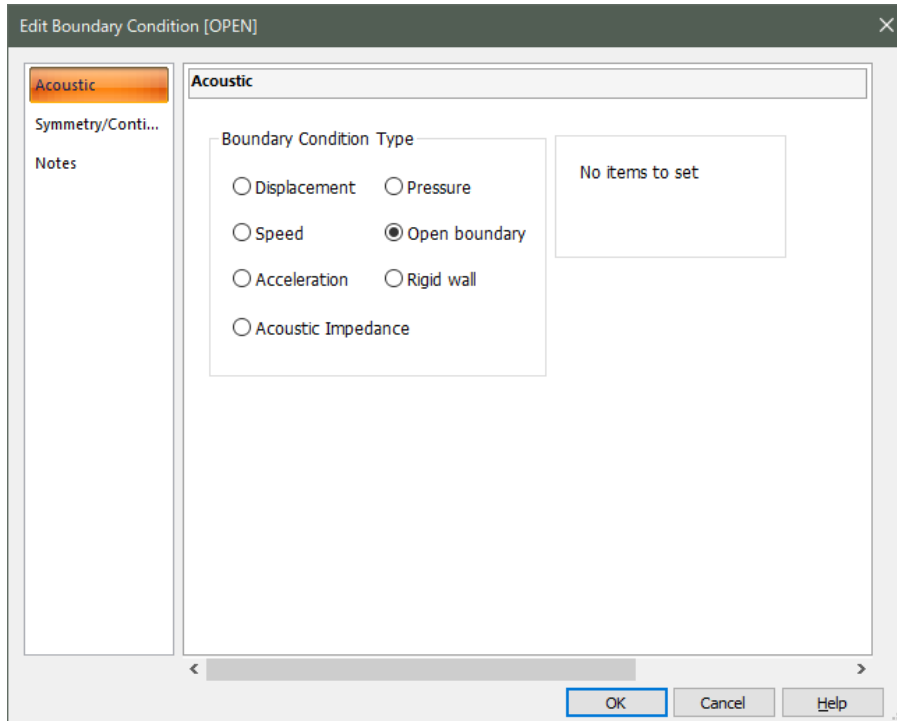
\*Option for Accelerator is required.



In the acoustic transient analysis, if timestep is set [Automatic], timestep is set based on the **CFL number** so as to prevent numerical instability.

\***CFL Number** is the number of meshes that travel during one timestep. If the number is too large, numerical instability occurs. The number is determined by the mesh size and the sound speed.

# (2) Boundary Condition



# (3) Material Property

Density

Edit Material Property [000\_Air]

**Density**

Sound Speed

Notes

Density

1.205 X10 [kg/m3]

0

OK Cancel Help

Sound Speed

Edit Material Property [000\_Air]

Density

**Sound Speed**

Notes

Sound Speed

Real Part 340.0 X10 [m/s]

Imaginary Part 0 X10 [m/s]

0

0

OK Cancel Help

# Damping of Sound

By setting imaginary part of the sound speed, the damping of the sound waves can be expressed.

Fig 1 shows the damping material between air.

As Fig 2 shows, the sound waves are damped in the damping material.

Fig 3 shows the level on the left side of the damping material is not uniform. It indicates the reflection is occurring.

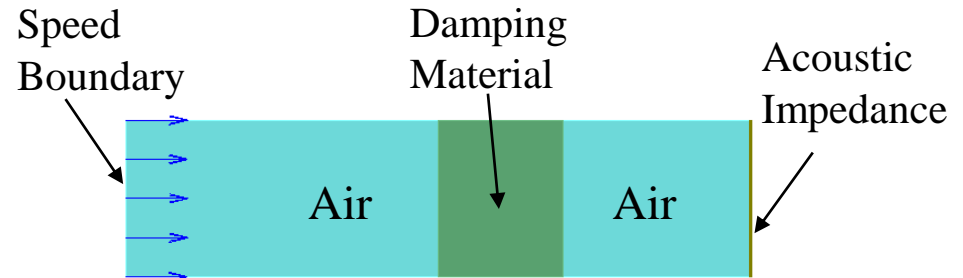


Fig 1. Sound Pressure [Pa]

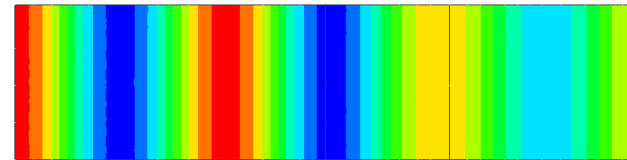


Fig 2. Sound Pressure [Pa]

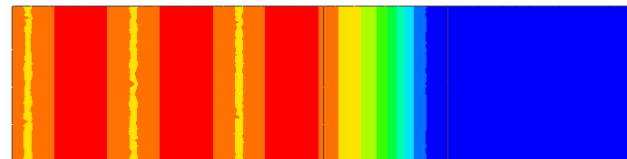


Fig 3. Sound Pressure Level [dB]



# Damping of Sound

## Loss of the Medium

**Sound Speed**

Sound Speed

Real Part  X10  [m/s]

Imaginary Part  X10  [m/s]

Set the imaginary part and damping coefficient of the sound speed here.

**i** The imaginary part indicates the attenuation, which sometimes cannot be ignored in the case of ultrasonics. Kirchhoff's equation is given below. The sound speed increases as the frequency increases.

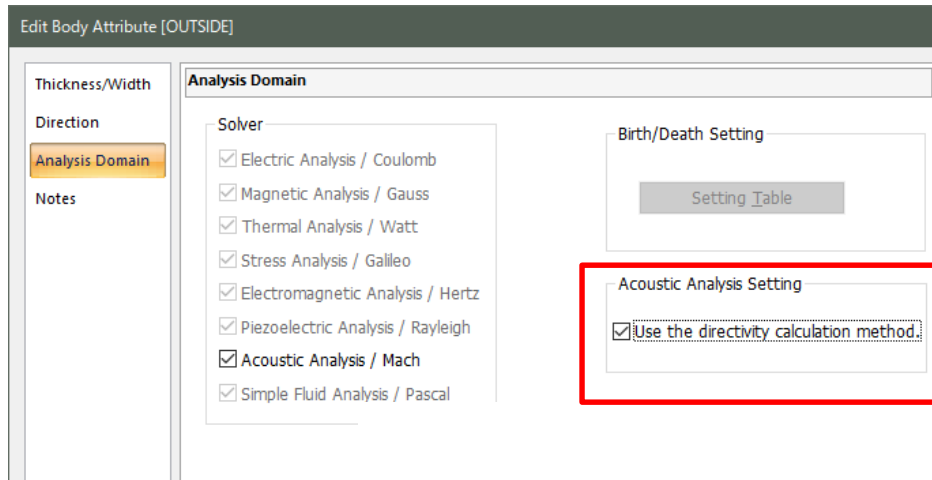
$$c_{\_image} = \frac{\omega}{2c} \left( \frac{4}{3} \frac{\mu}{\rho} + \frac{\gamma - 1}{\gamma} \frac{\kappa}{\rho C_v} \right)$$

$\omega$ : angular frequency,  $c$ : sound speed,  $\mu$ : viscosity coefficient,  $\rho$ : density  
 $\gamma$ : heat capacity ratio,  $\kappa$ : thermal conductivity,  $C_v$ : specific heat at constant volume

It is  $2.7 \times 10^{-7} f$  in the air, and  $2.8 \times 10^{-9} f$  in the water,  
 where  $f$  is the frequency.

# (4) Body Attribute

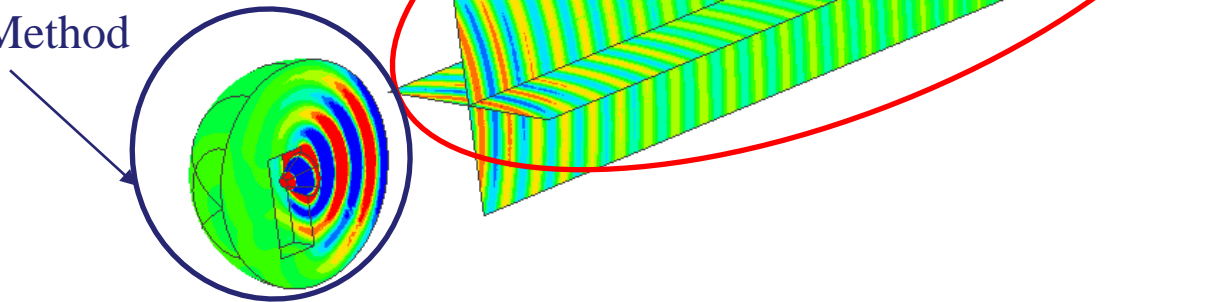
## Analysis Domain



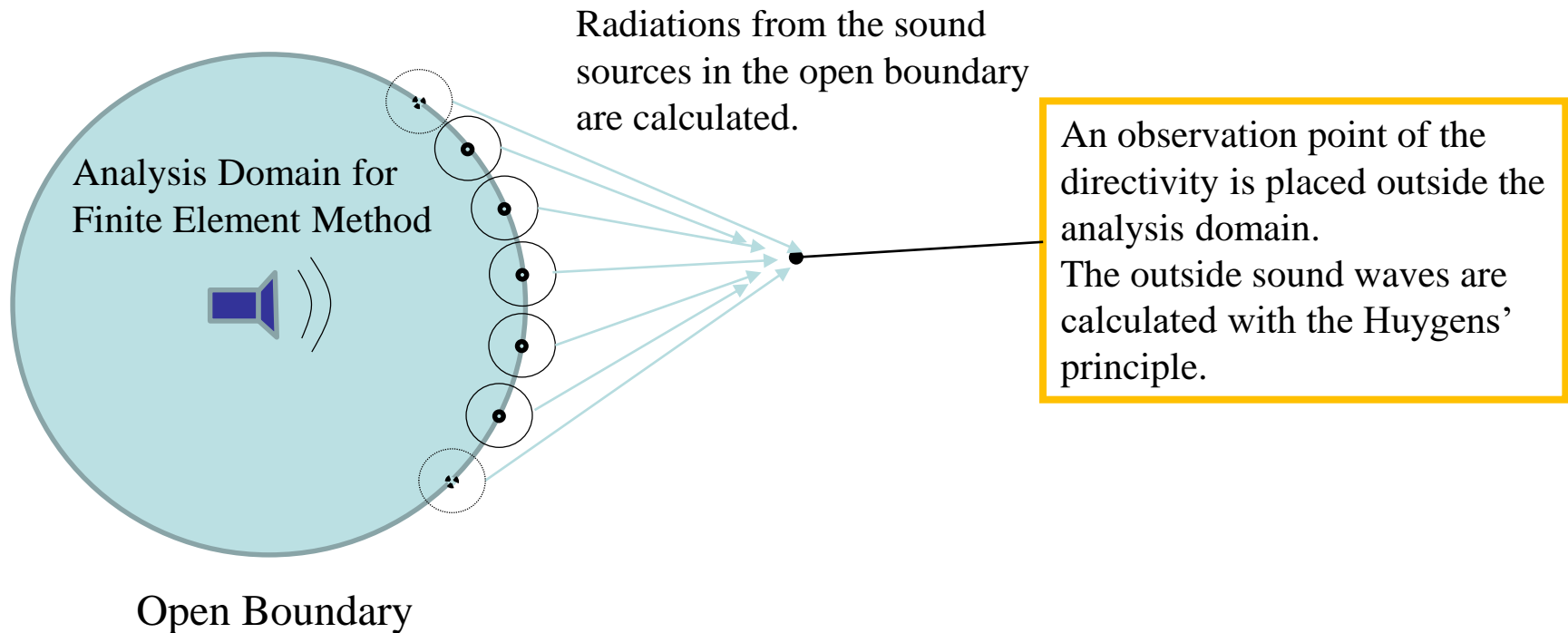
Example 8:  
View by the Directivity Calculation Method

Calculated domain with the  
directivity calculation method

Calculation Domain  
for the Finite  
Element Method



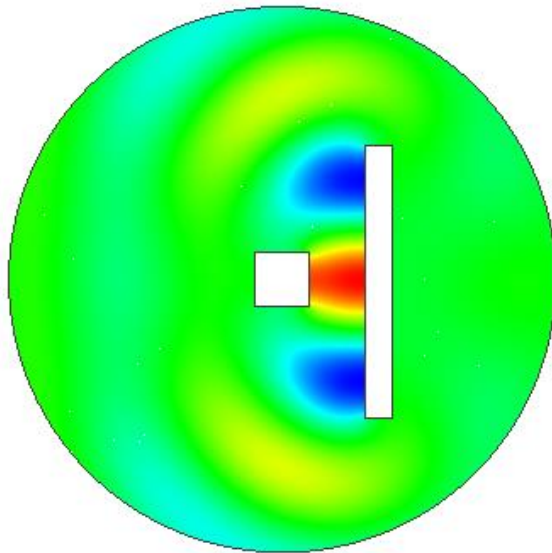
## Huygens' Principle



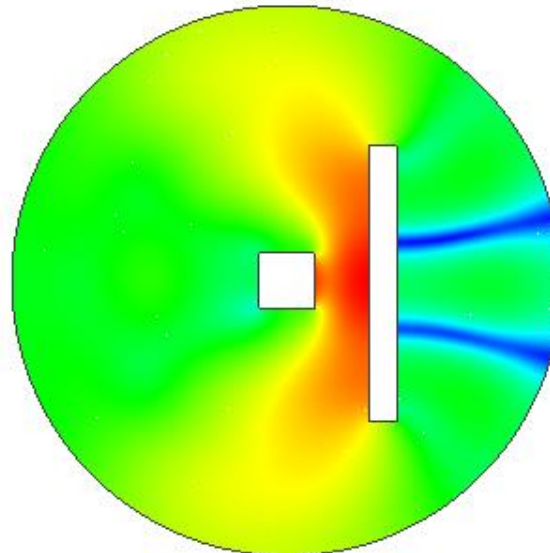
# (5) Results Display - Field

Sound Pressure [Pa]  
Sound Pressure Level[dB]  
Particle Velocity [m/sec]  
Acoustic Intensity [W/m<sup>2</sup>]

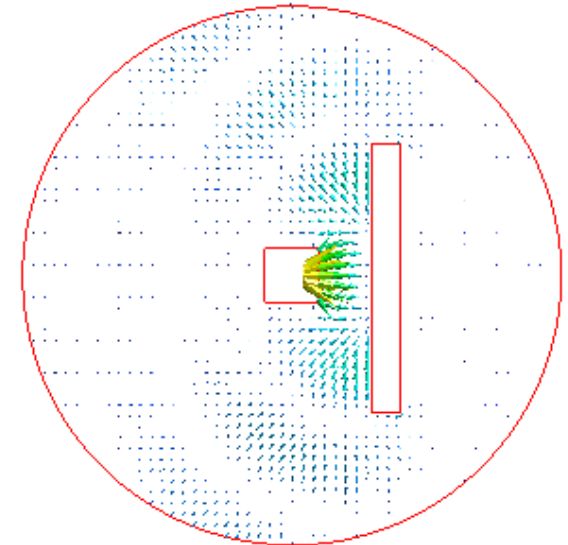
Sound Pressure



Sound Pressure Level



Particle Velocity



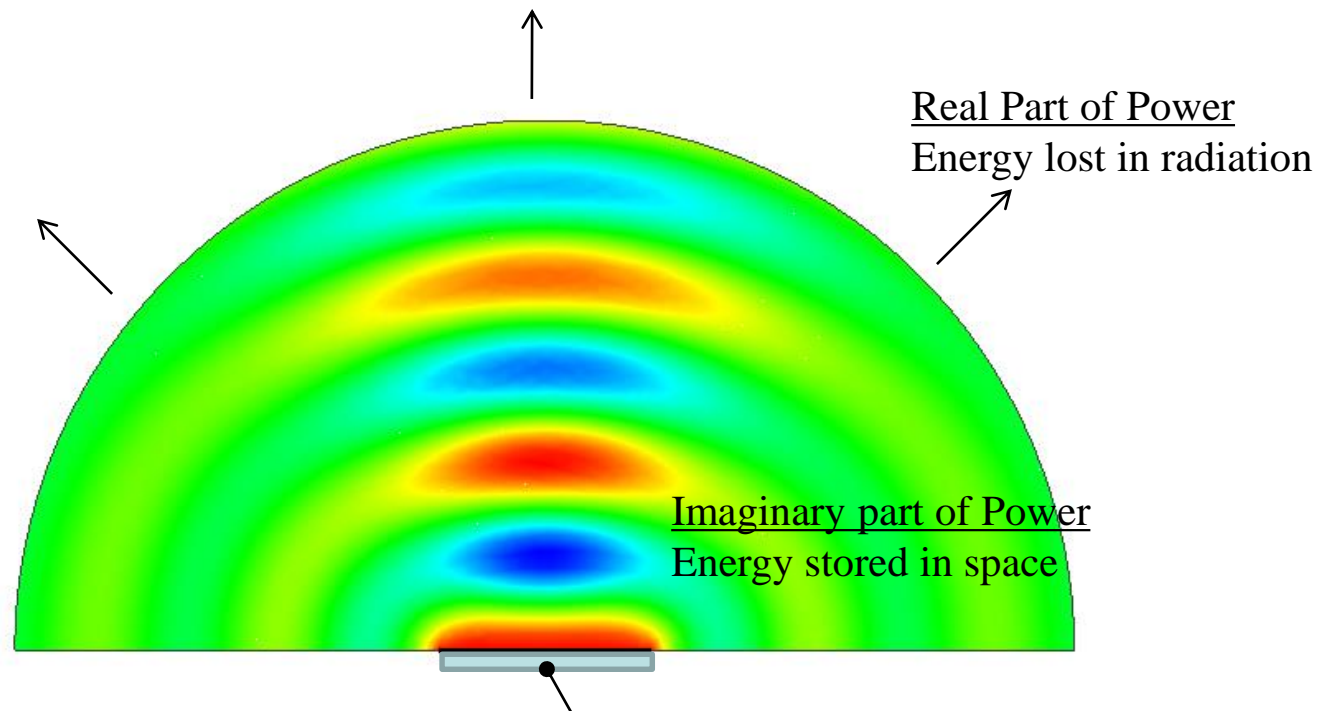
Radiation Energy : Power[W]

Radiation Impedance :  $Z_r$ [Ns/m]

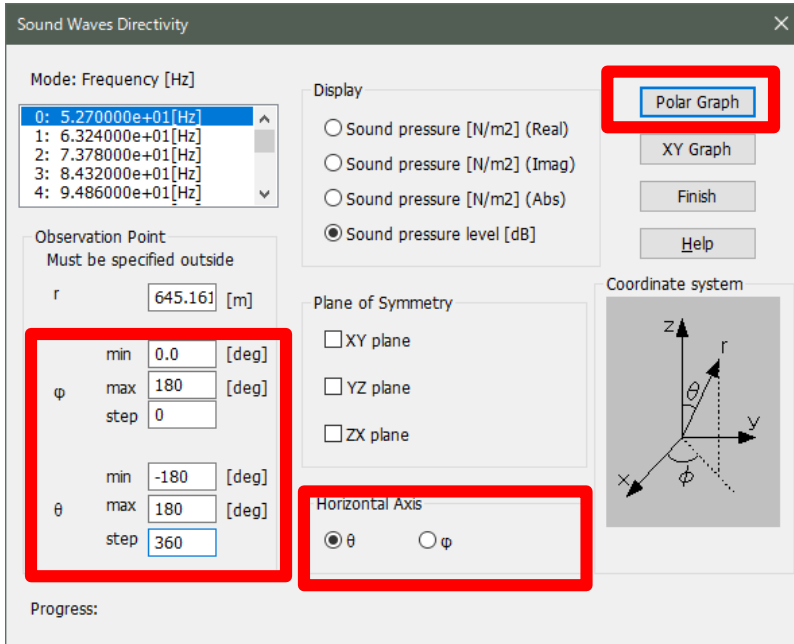
Example

Power [W] = 2.60245624e-005 7.47853134e-005j

$Z_r$  [Ns/m] = 4.33208345e+000 1.24488632e+001j



$Z_r$ : ratio of power of sound source and velocity



Based on the Huygens' principle, the sound pressure outside the domain is calculated, where the finite element method is not applied.

[XY Plane]

$\Phi$  : min 0/max 360/step 100

$\theta$  : min 0/max 0/step 0

Horizontal axis :  $\Phi$

[XZ Plane]

$\Phi$  : min 0/max 0/step 0

$\Theta$  : min -180/max 180/step 100

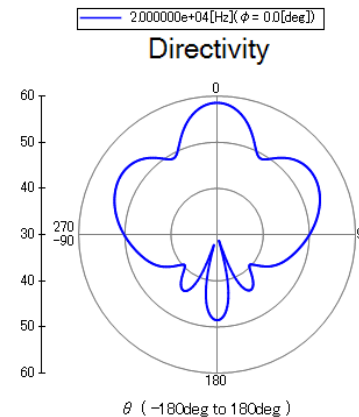
Horizontal axis:  $\theta$

[YZ Plane]

$\Phi$  : min 90/max 90/step 0

$\Theta$  : min -180/max 180/step 100

Horizontal axis:  $\theta$

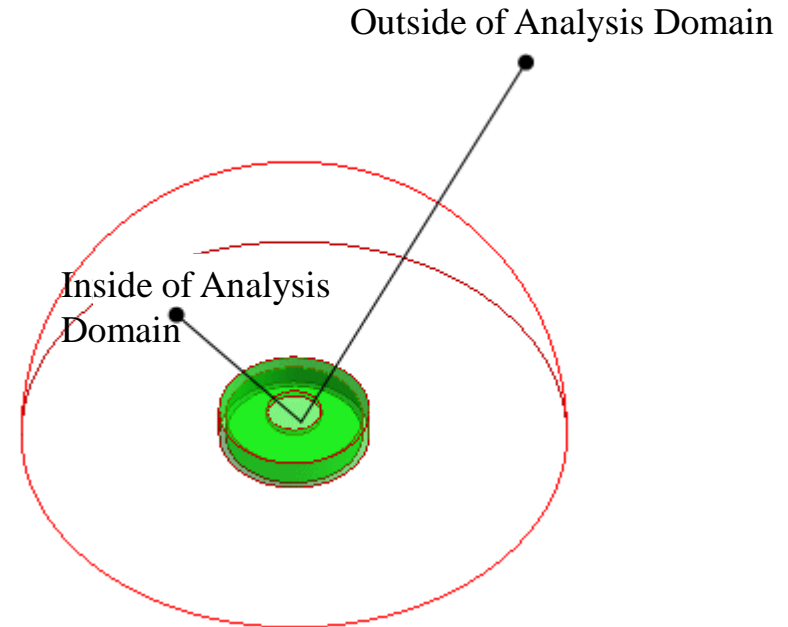
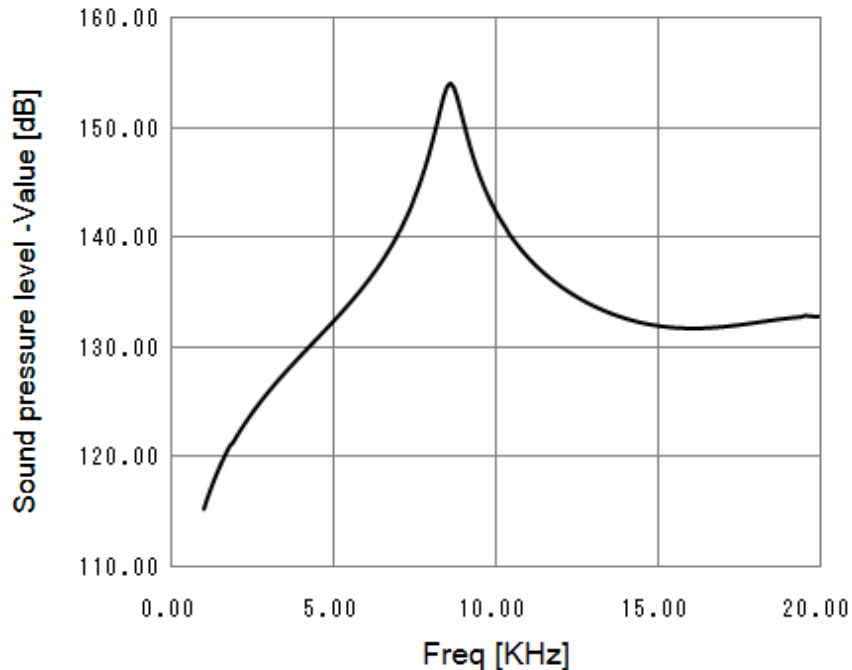


Example of Directivity of [XZ Plane]

# Results Display

## Graph of Frequency Response

### Frequency Response of Sound Pressure



#### Inside of Analysis Domain

Use Graph function of the contour diagram.

#### Outside of Analysis Domain

Refer to [Acoustic Analysis Example 8].

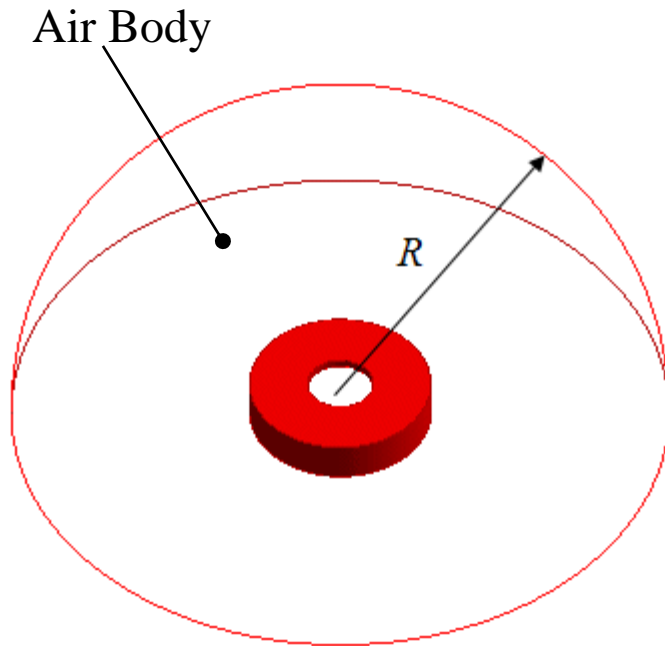
Or use macro in the Technical Note [Frequency Response of Sound Pressure Level].

- (1) Analysis Domain
- (2) Mesh Size
- (3) Multiple Sound Sources
- (4) Frequency-dependent Sound Speed



# (1) Analysis Domain

Create air body around the sound source



The radius of the air body is  $R$ .

$R$  is 0.2 times the wavelength of the frequency of your interest.

If the value is small, a warning will show up as below.

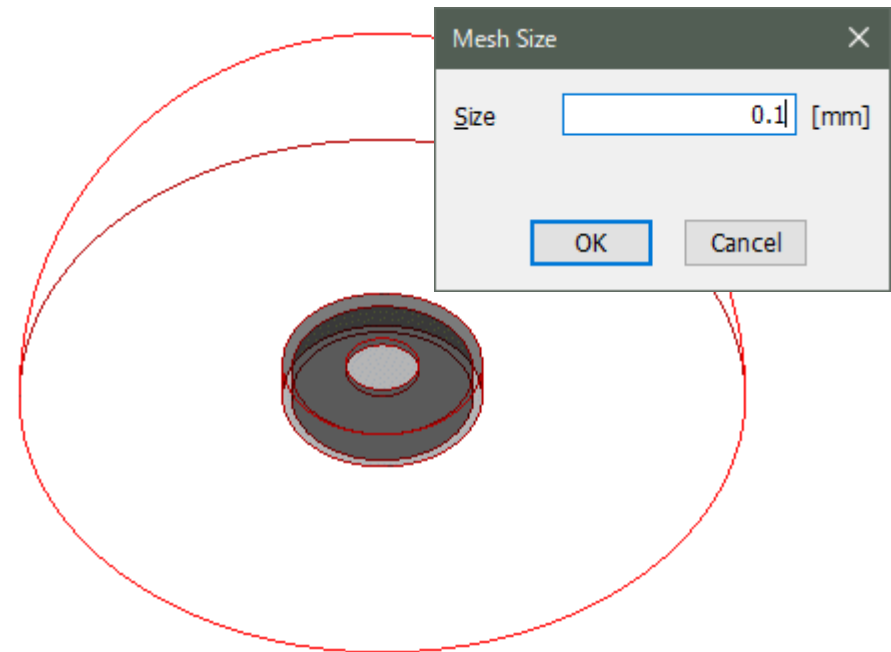
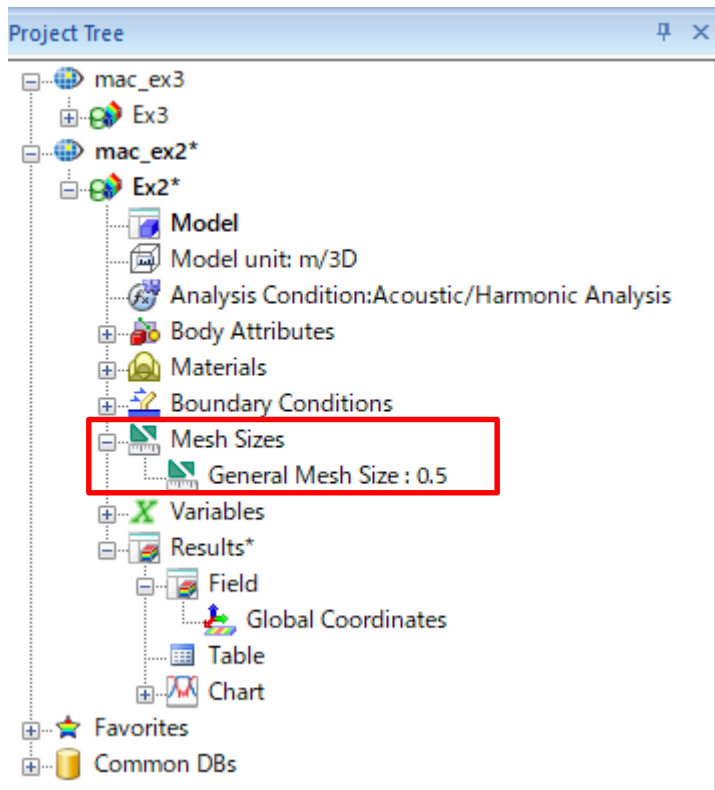
**\*\* Warning \*\***

Distance between the wave source and the open boundary is too short. Separate them at least 0.2 wavelength.

## (2) Mesh Size

Mesh size is somewhere between a fourth and sixth of the wavelength.

Finer mesh must be applied to the complicated form near the sound source.



## (2) Mesh Size

### Ultrasonic Analysis

To prepare the mesh of a sixth of the wavelength, the number of meshes becomes large if the analysis domain is wide.

In such case, a quarter model or axisymmetric model are helpful.

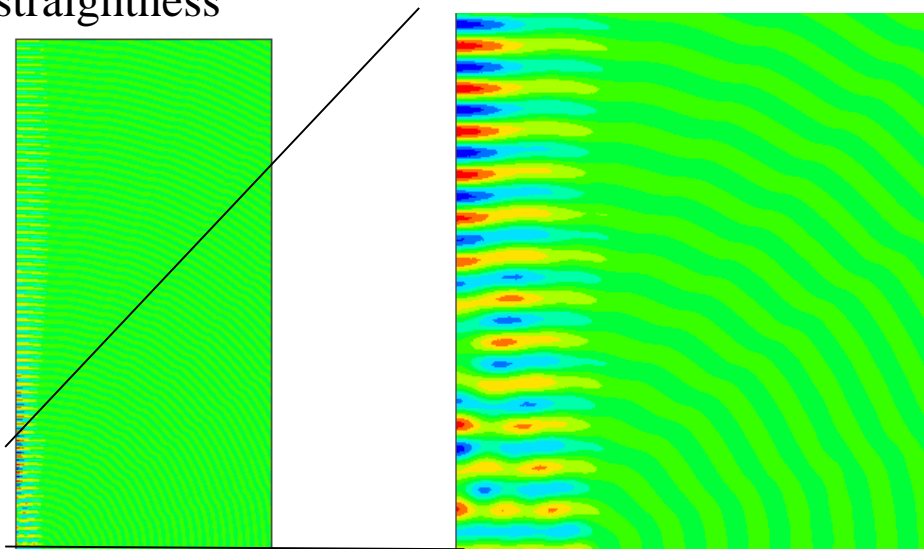
[Example]

Axisymmetric Model (1MHz)

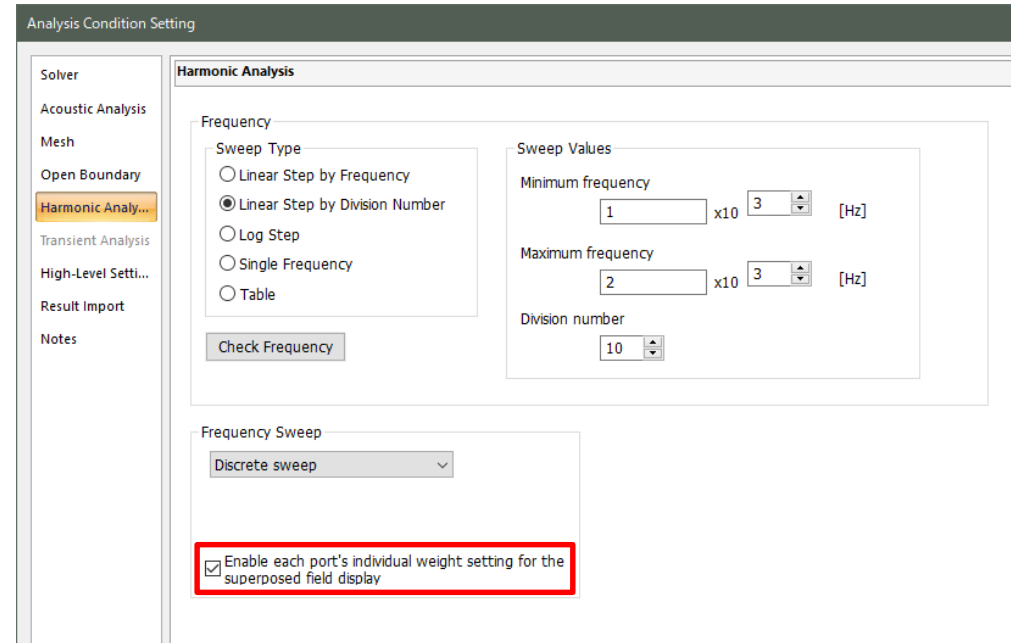
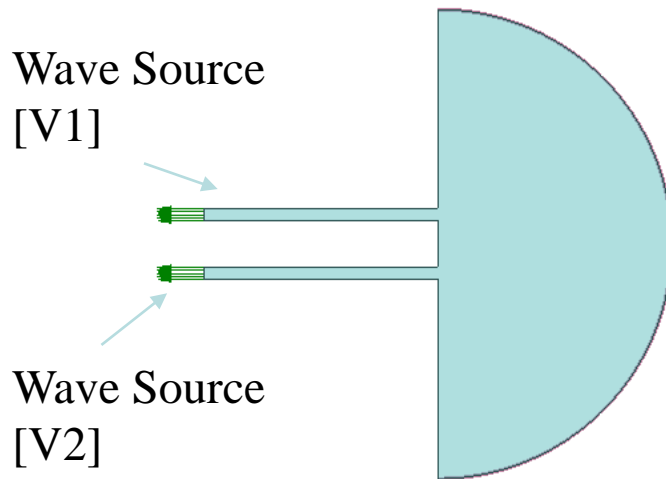
Ultrasonic waves show strong straightness



Wave Source



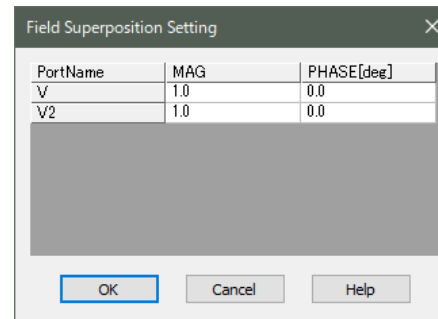
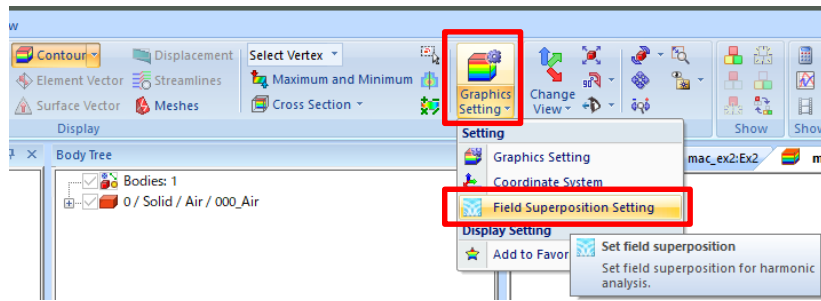
# (3) Multiple Sound Sources



Select [Enable each port's individual weight setting for the superposed field display]

## Acoustic Analysis Example 3

# (3) Multiple Sound Sources



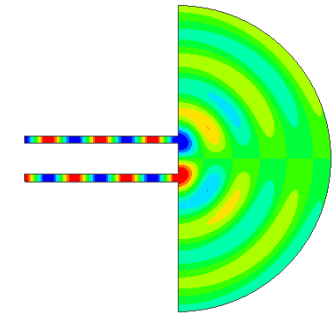
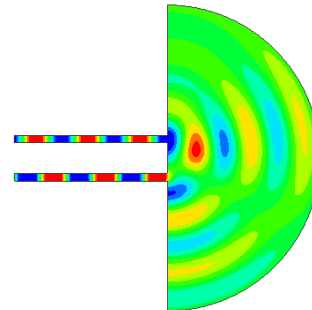
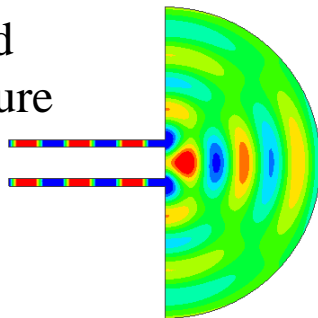
Scale factor and phase can be shifted for each boundary condition of the results.

Phase Difference: 0

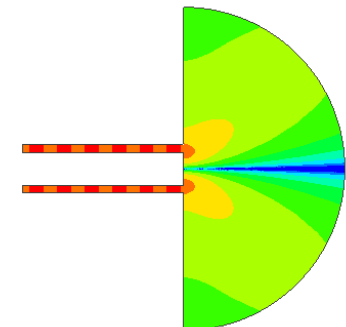
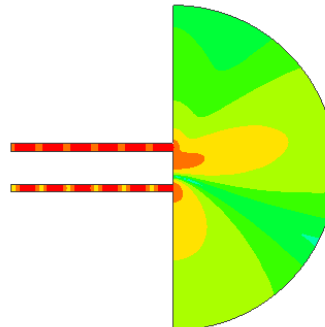
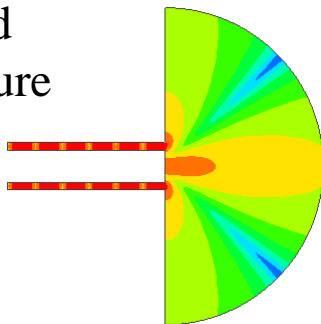
Phase Difference: 90

Phase Difference: 180

Sound Pressure

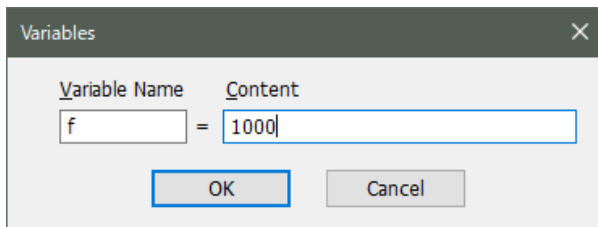
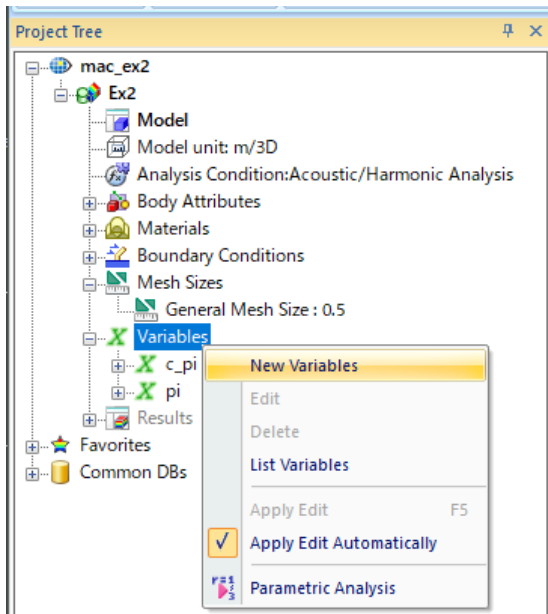


Sound Pressure Level

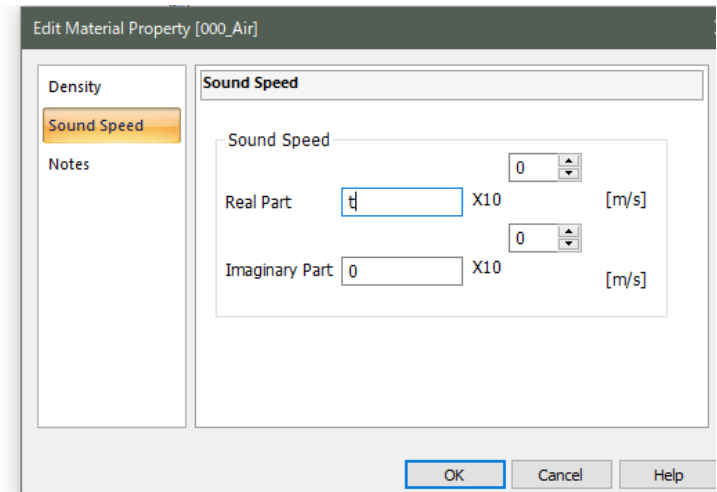
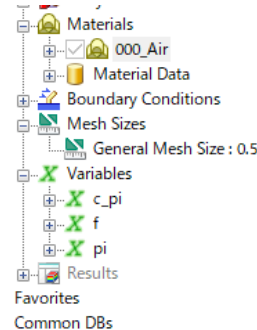
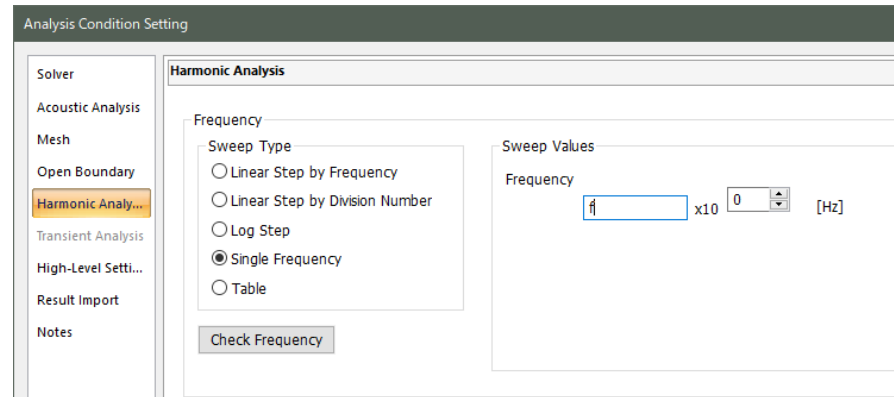


# (4) Frequency-dependent Sound Speed

Project Tree > Right-click on Variables > Select [New Variables]



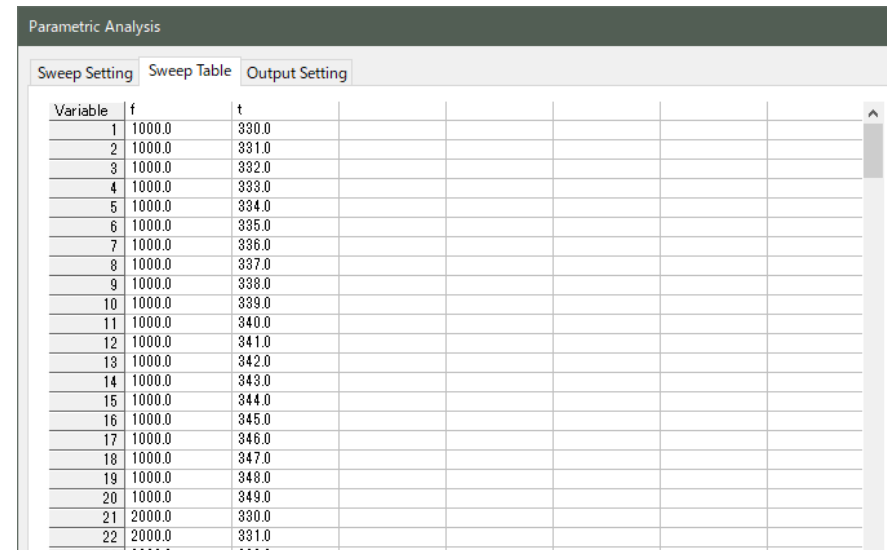
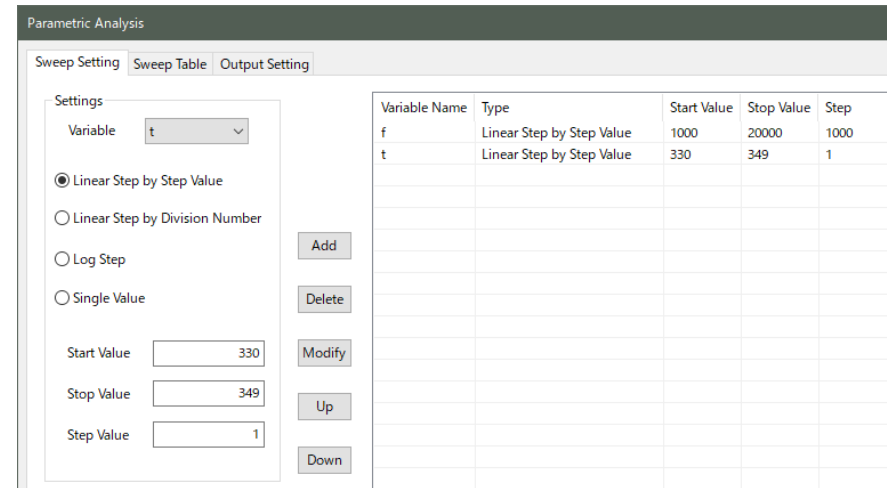
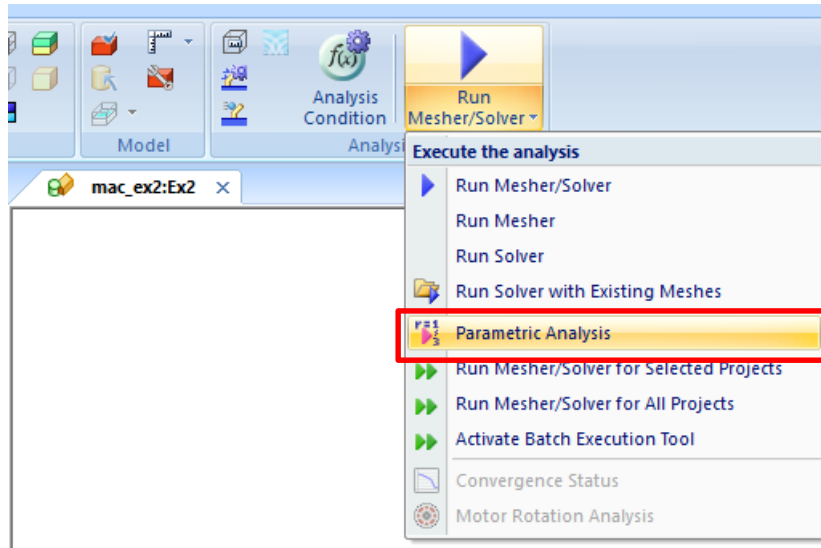
Prepare variables f and t.  
Initial value can be any values.



Analysis Condition Setting > Harmonic Analysis > Set f to Frequency.  
Edit Material Property > Set t to Sound Speed.

# (4) Frequency-dependent Sound Speed

## Run Mesher/Solver > Submenu > Parametric Analysis



By setting in the [Sweep Table], analysis can be performed while changing frequencies (f) and sound speed (t).

## ☆ Piezoelectric Analysis

1. Case Studies
2. Functions
3. Points

## ☆ Acoustic Analysis

4. Case Studies
5. Functions
6. Points

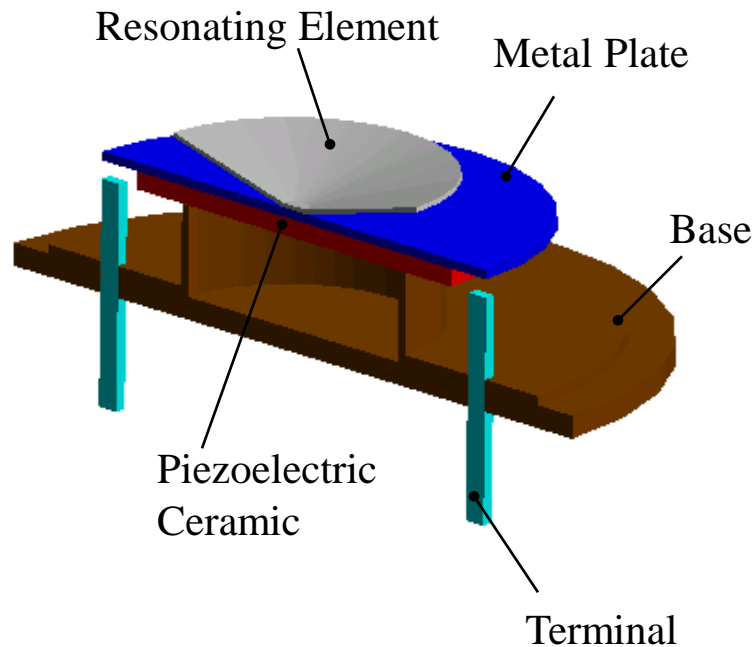
## ☆ Piezoelectric-Acoustic Coupled Analysis

7. Case Studies
8. Points

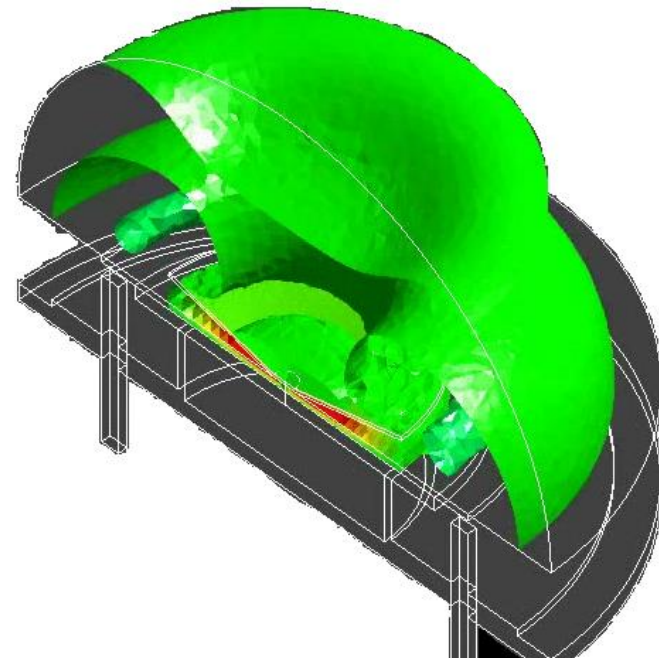


## Ultrasonic Sensor

Piezoelectric Analysis

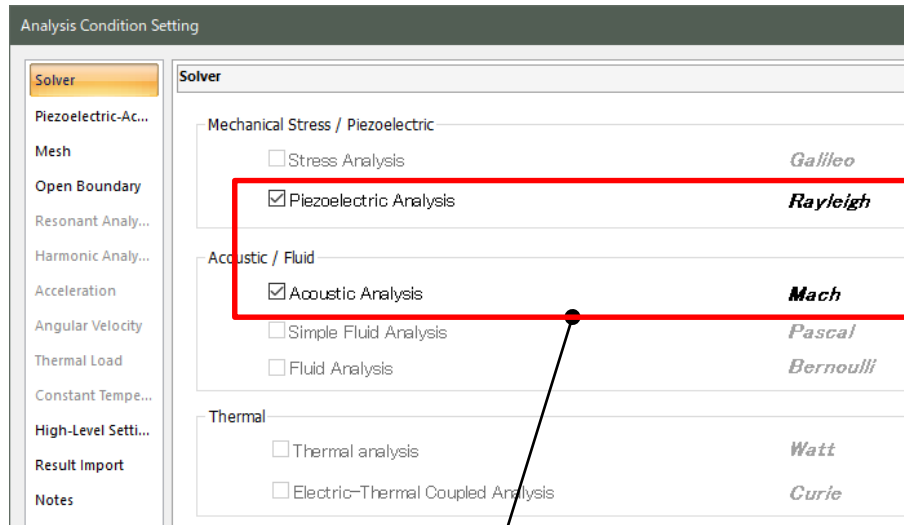


Acoustic Analysis

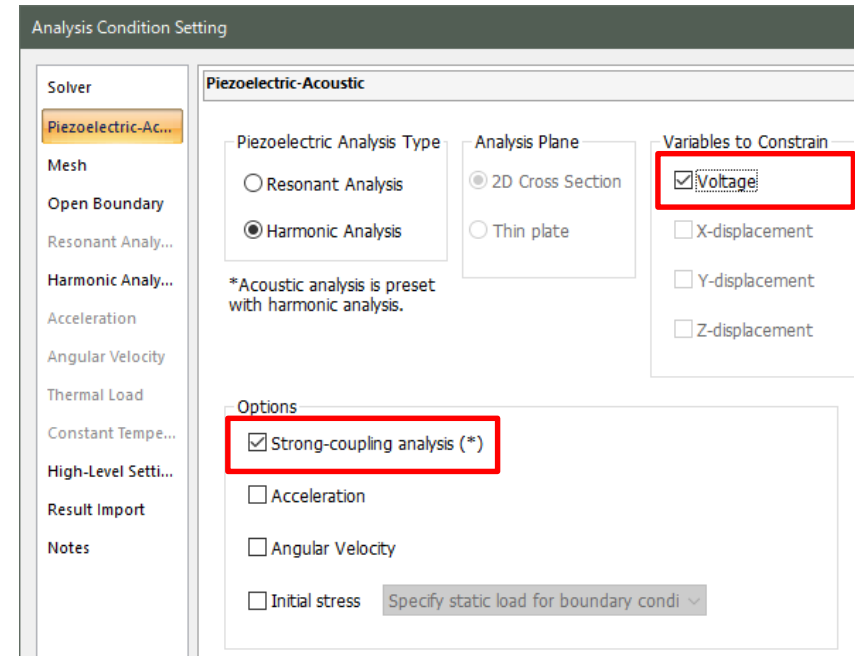


# 8. Points of Piezoelectric-Acoustic Coupled Analysis

## Analysis Condition



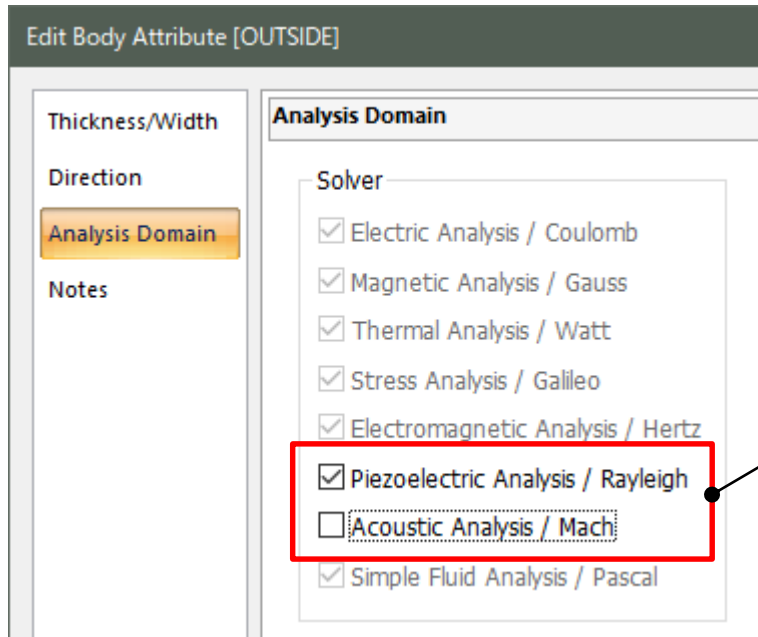
Select [Piezoelectric Analysis] and [Acoustic Analysis]



Select [Strong-coupling analysis].  
Select [Voltage] if [piezoelectricity] is not taken into account.

# 8. Points of Piezoelectric-Acoustic Coupled Analysis

## Body Attribute



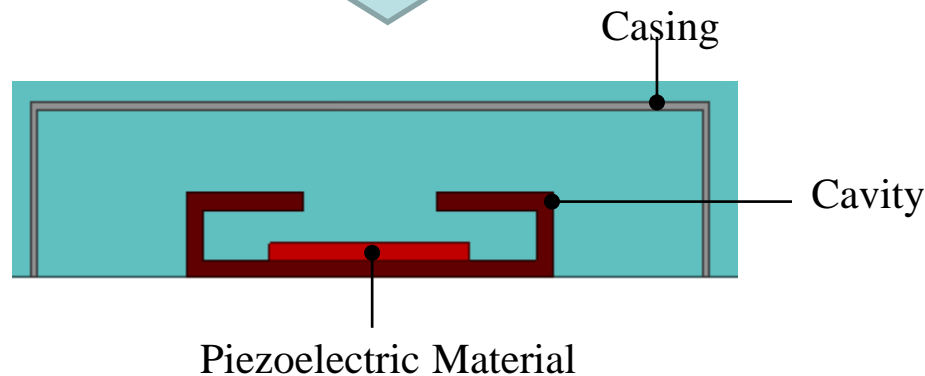
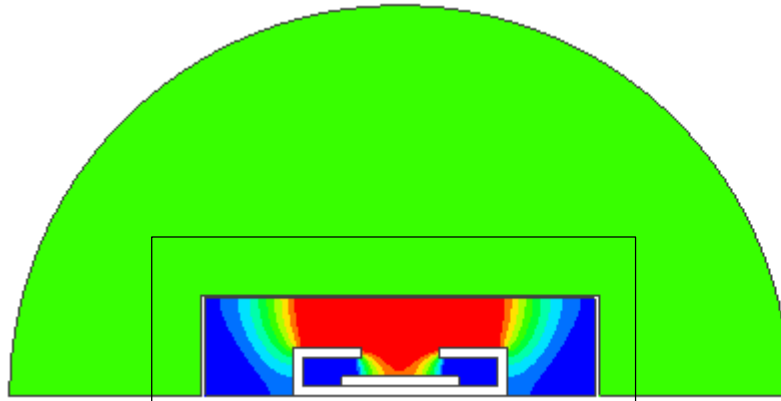
Select [Piezoelectric Analysis] for solid.  
Select [Acoustic Analysis] for media.  
**Both cannot be selected at the same time.**

# Strong-coupling Analysis

## Weak-coupling Analysis

(Unidirectional from piezoelectric to acoustic)

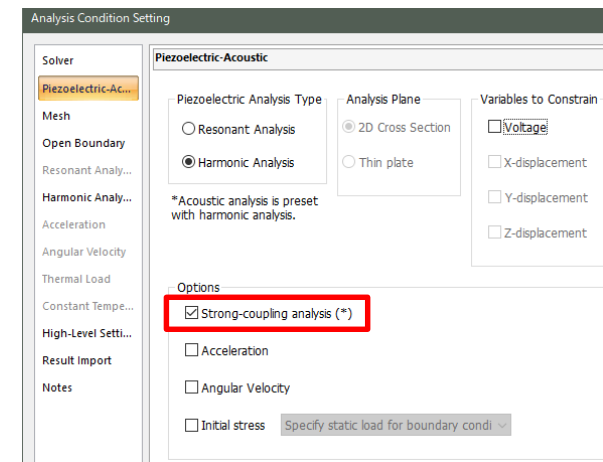
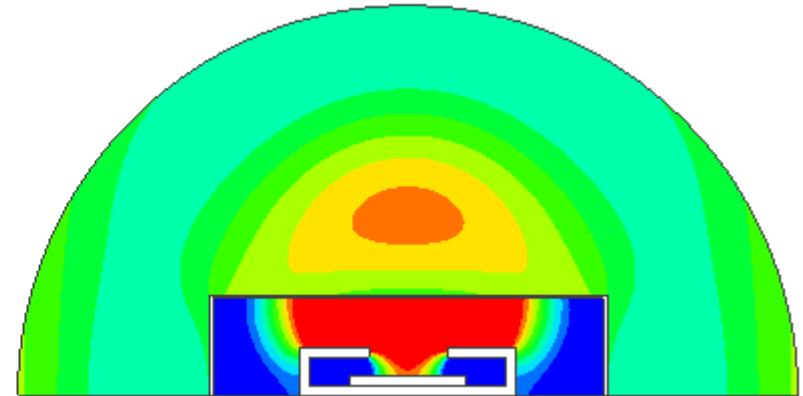
The vibrating effect of the structure by the sound waves cannot be calculated. The sound waves outside the shielding plate cannot be calculated either.



## Strong-coupling Analysis

(Bidirectional between piezoelectric and acoustic)

The vibrating effect of the structure by the sound waves can be calculated and the sound waves outside the shielding plate can be calculated as well. However the calculation time is long.



# Thank You